

# **MEMS Packaging Techniques for Silicon Optical Benches**

**Hayden Taylor**

David Moore, Mohamed Boutchich, Billy Boyle,  
Johnny He, Graham McShane, Richard Breen, Rob Wylie

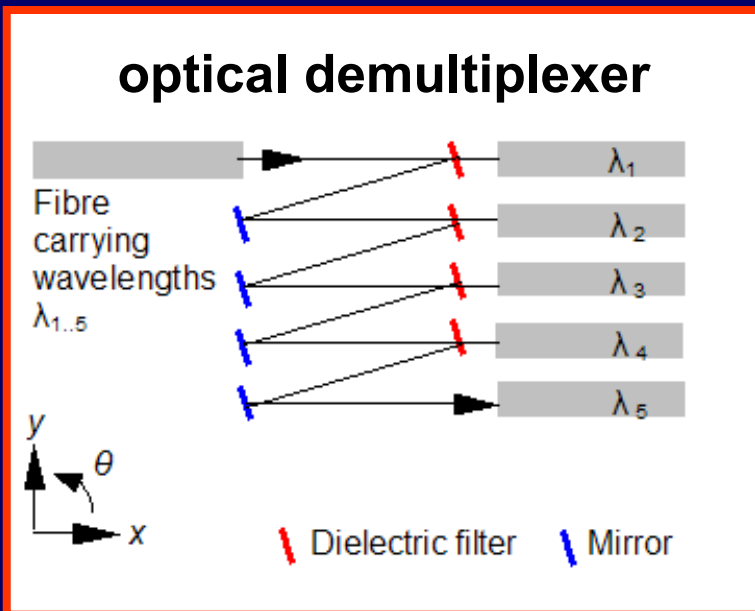
CAMBRIDGE UNIVERSITY ENGINEERING DEPARTMENT

**3 March 2004**

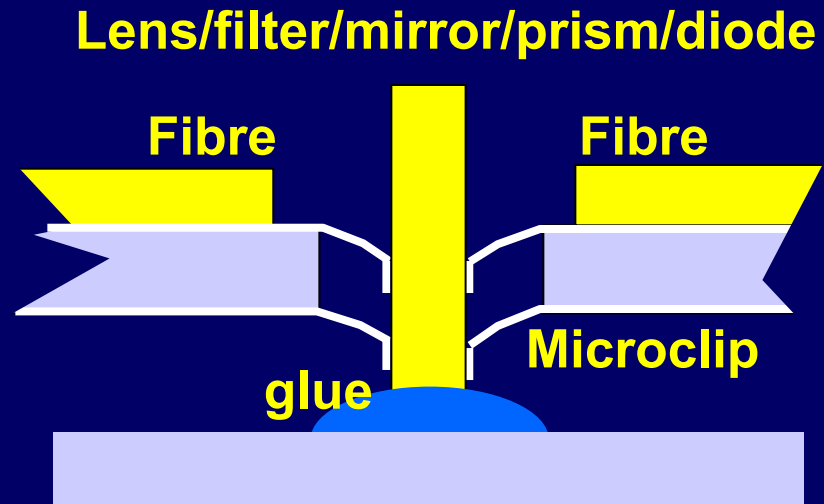
# Introduction

## Why MEMS for optoelectronic packaging?

- high precision required:  
 $\pm 0.5$  micron,  $\pm 0.7^\circ$
- towards parallel assembly
- avoid expense of nanomanipulator



## cross-section



# Introduction

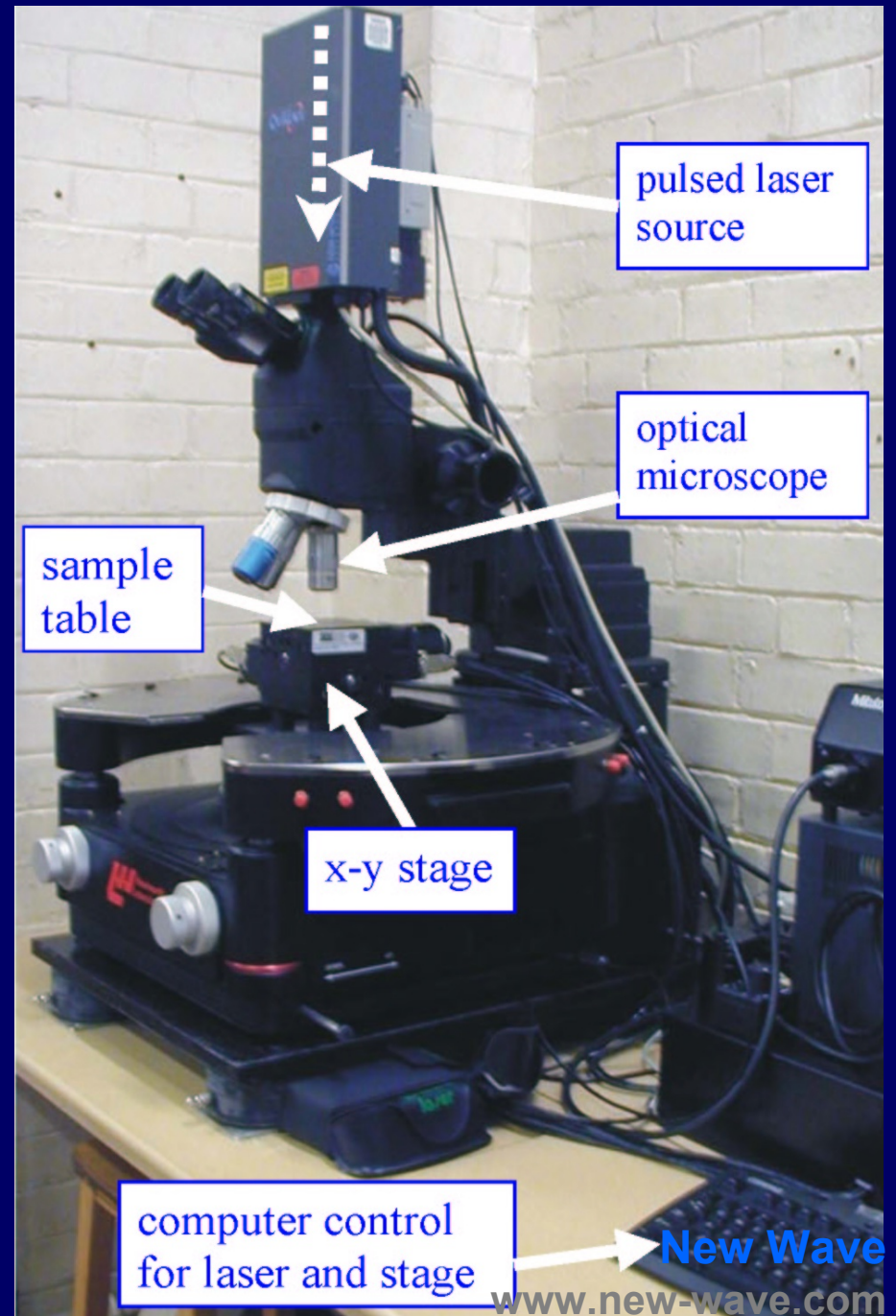
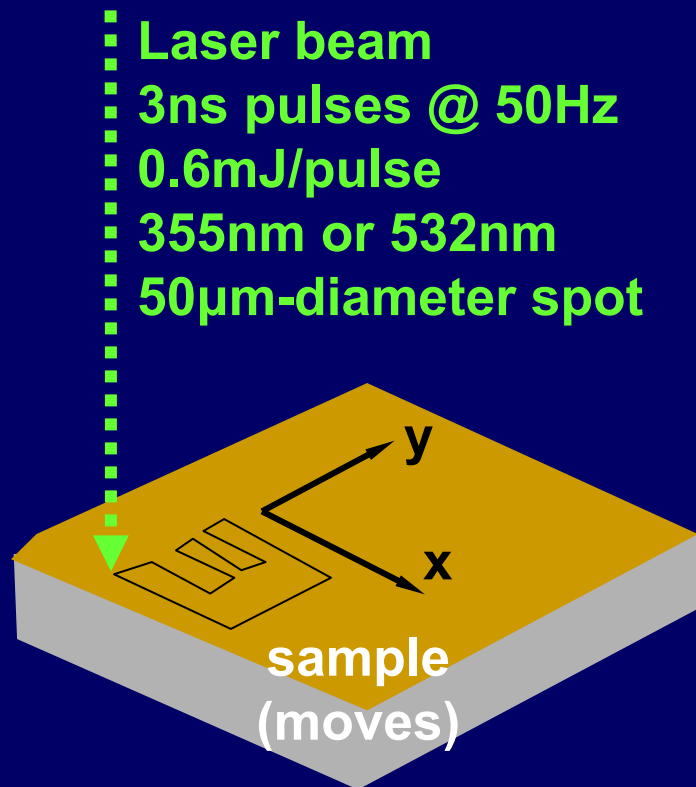
## Why rapid prototyping?

- many new materials
- mechanical design hard

# Introduction

## Why rapid prototyping?

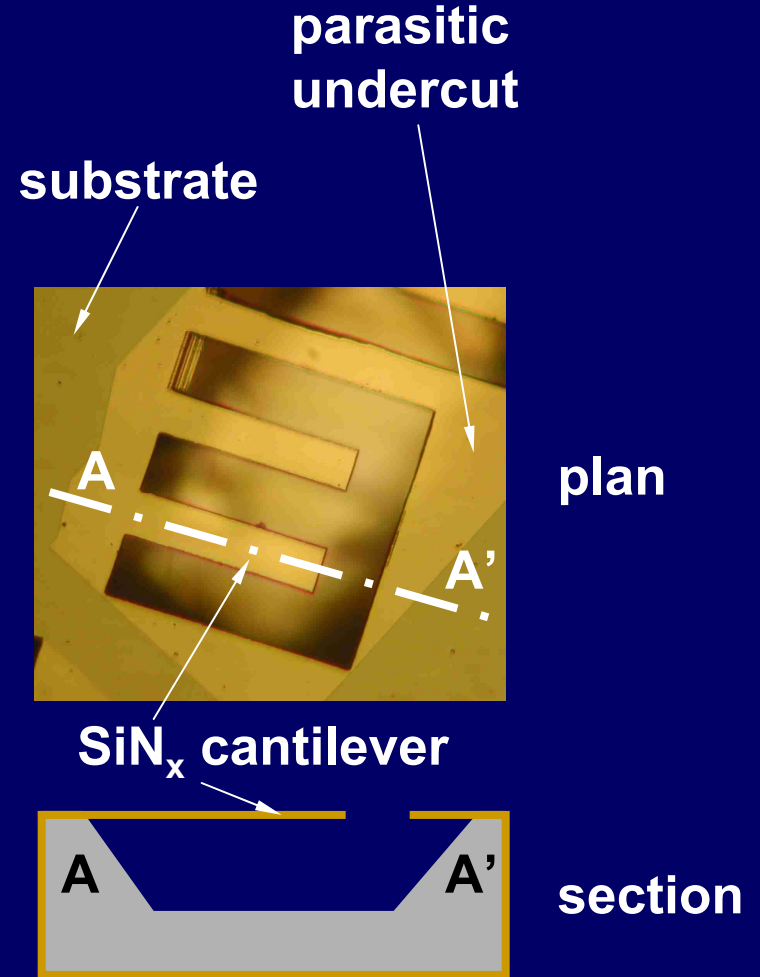
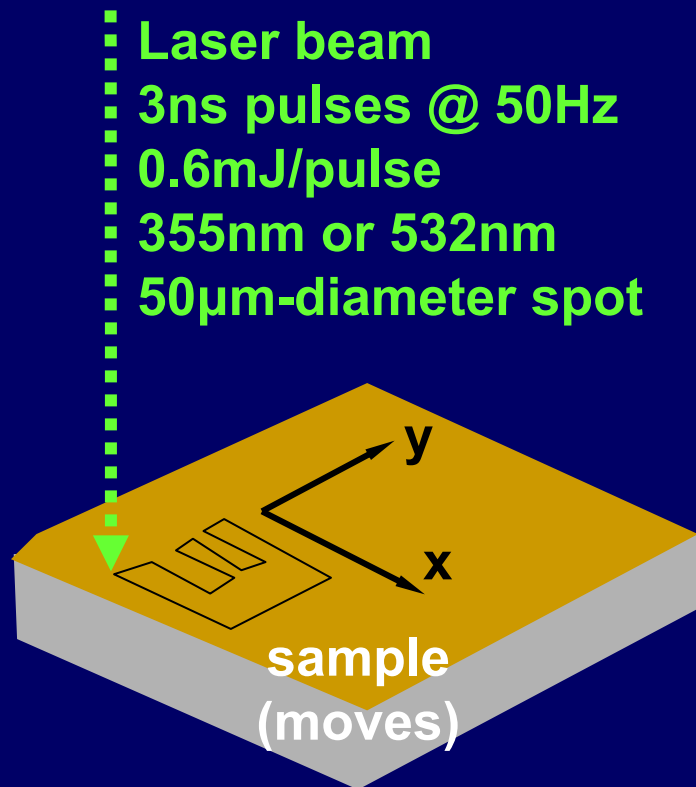
- many new materials
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# Introduction

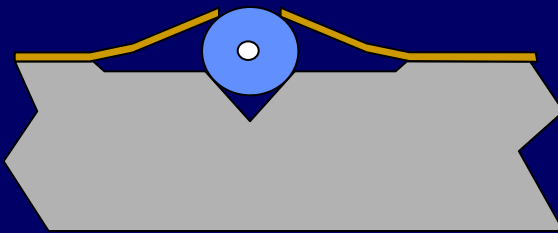
## Why rapid prototyping?

- many new materials
- mechanical design hard



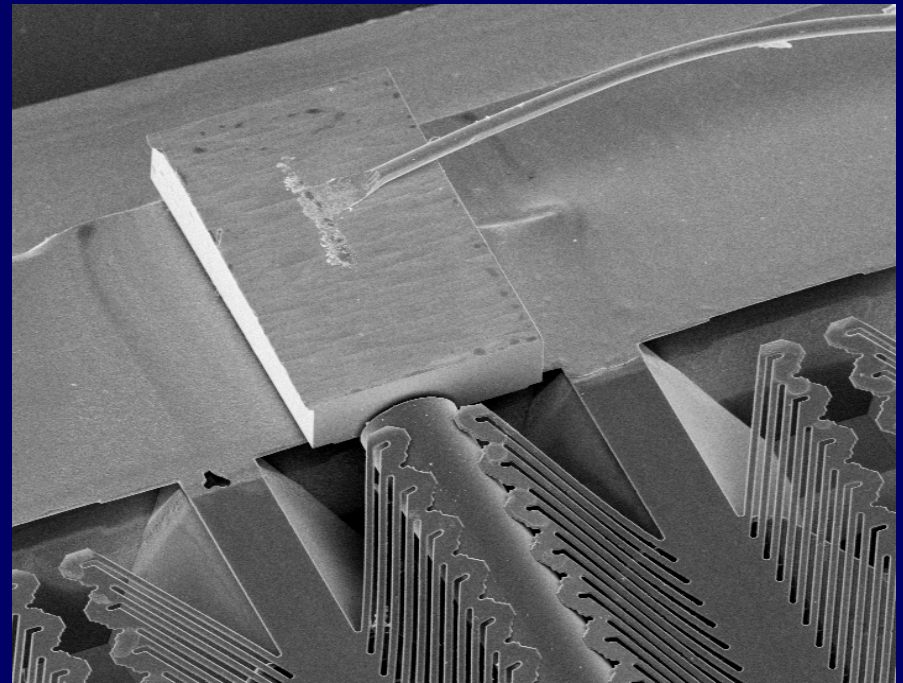
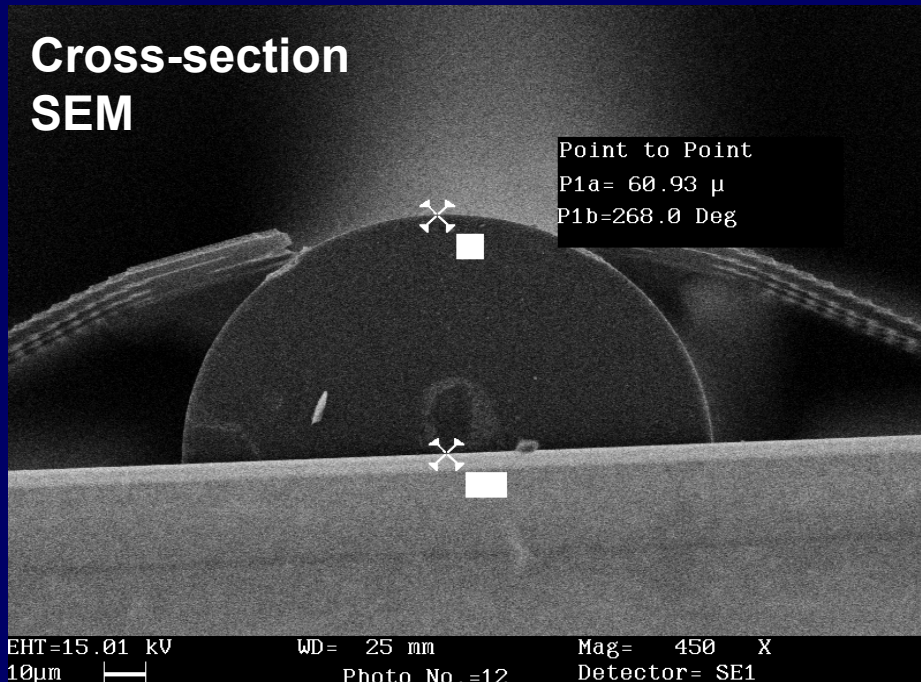
# Introduction

Previous MEMS packaging work: **passive**



*Journal Micromechanics Microengineering 8, 343-360 (1998)*

**Cross-section  
SEM**

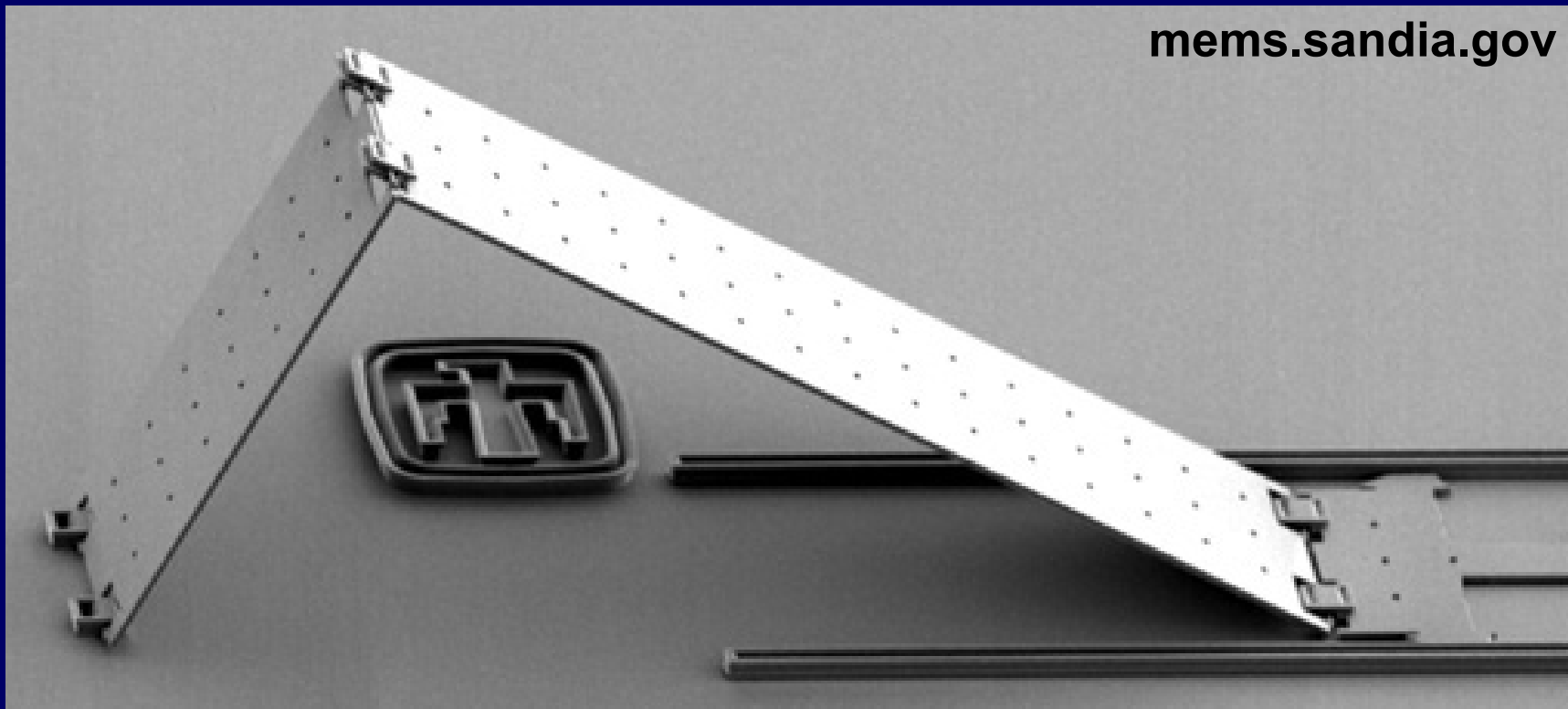




# Introduction

Previous MEMS packaging work: **out of plane**

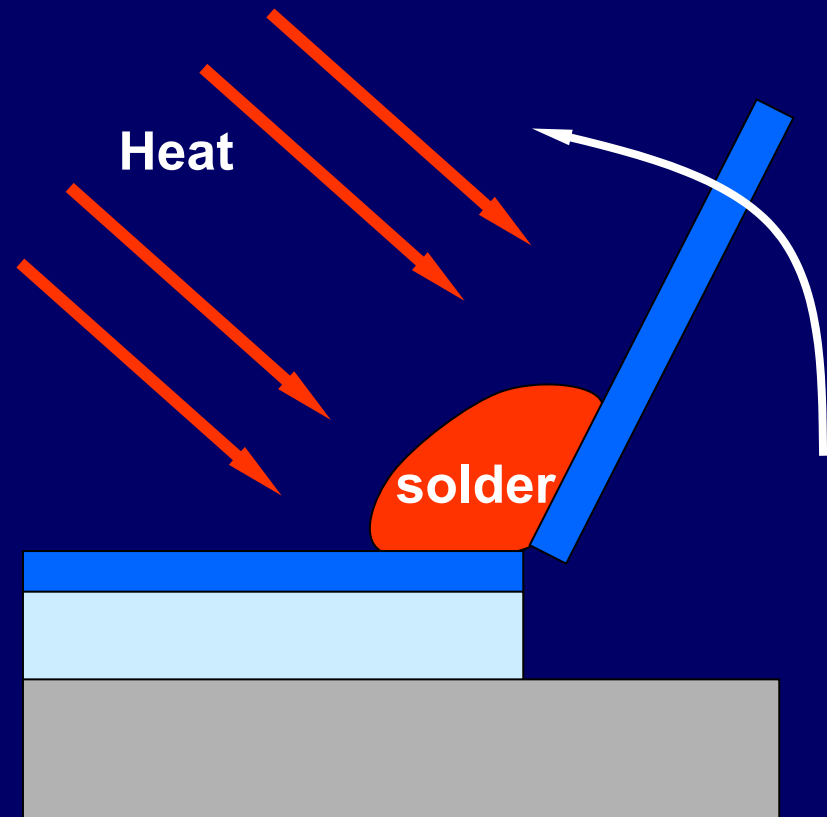
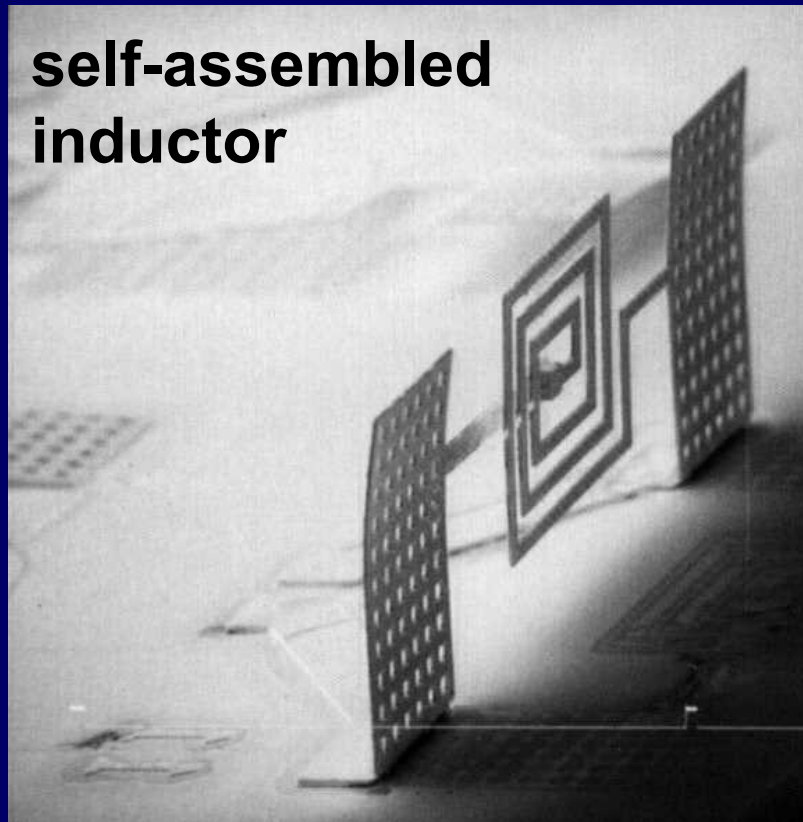
- polysilicon multi-layer processes (e.g. SUMMiT, Sandia)



# Introduction

Previous MEMS packaging work: **out of plane**

- polysilicon multi-layer processes (e.g. SUMMiT, Sandia)
- surface tension: self-assembly





# Outline

**Laser  
micromachining:  
characterisation**

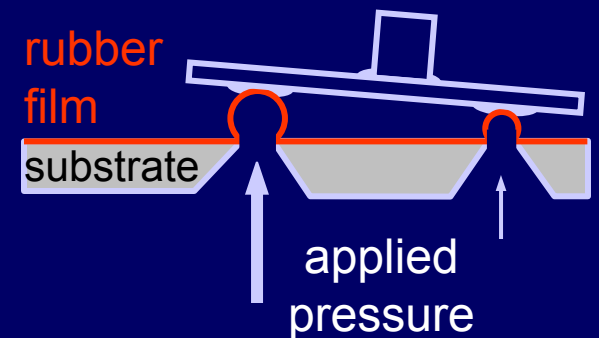
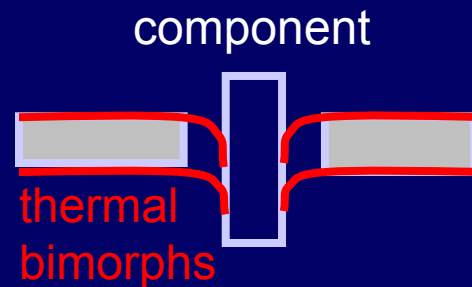
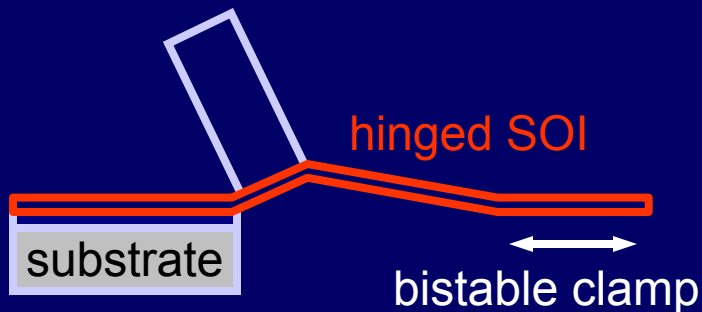
**Extracting  
mechanical  
properties**

**Analysis +  
concepts**

**Silicon-on-insulator  
clamps: bistable,  
thermal**

**Thin film  
microclips**

**Inflatable MEMS**



# Outline

**Laser  
micromachining:  
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Inflatable MEMS

# Characterising laser ablation of silicon nitride

3ns-pulse  
3.5eV (UV),  
50Hz, 10 $\mu$ ms<sup>-1</sup>

0.1mm



3ns-pulse  
2.3eV (Green),  
50Hz, 10 $\mu$ ms<sup>-1</sup>

0.1mm

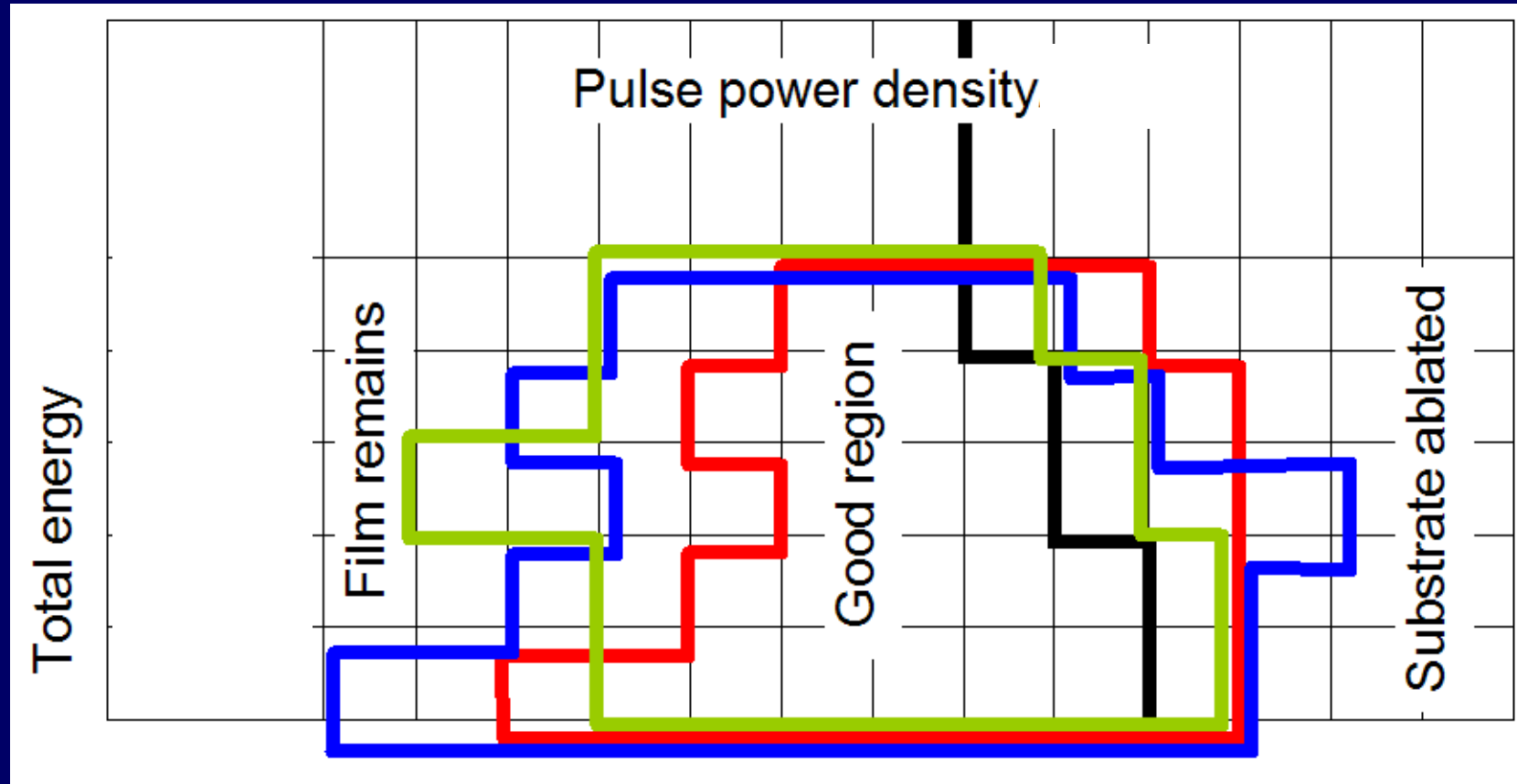


3ps-pulse  
1.2eV (IR),  
50kHz, 10mms<sup>-1</sup>  
Lumera Laser

0.1mm



# Characterising laser ablation of silicon nitride



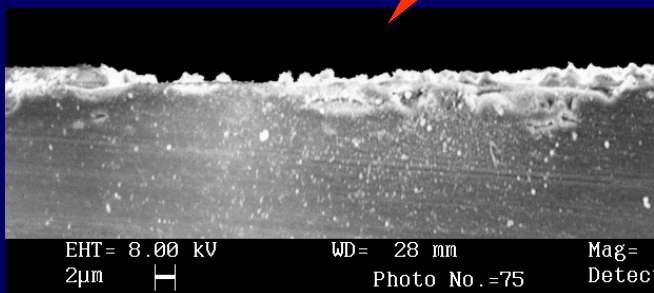
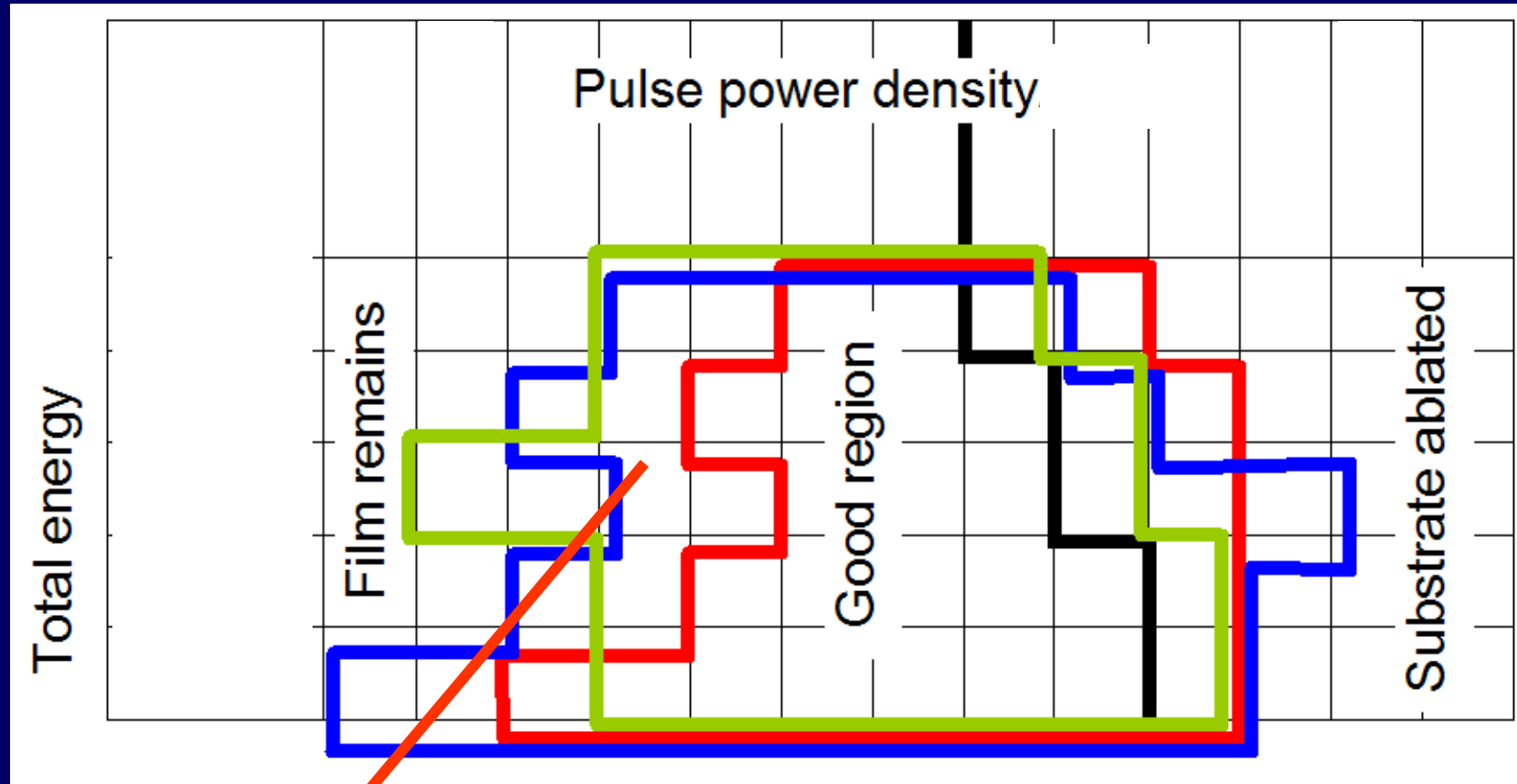
SiN (2μm)

SiN (0.2μm)

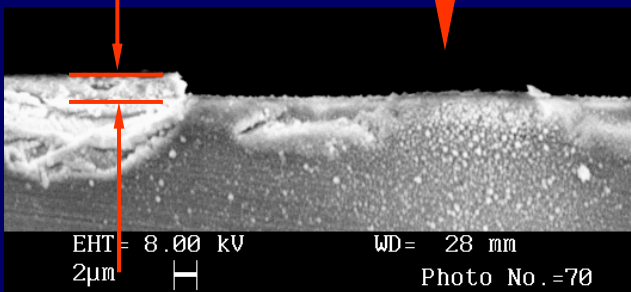
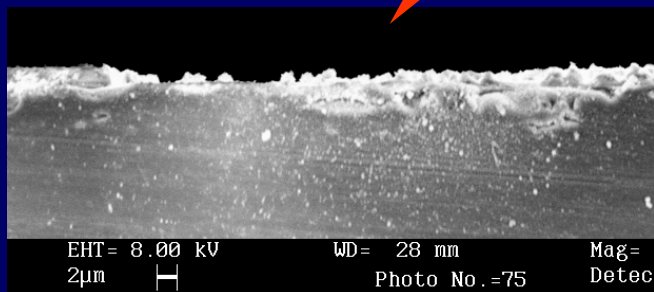
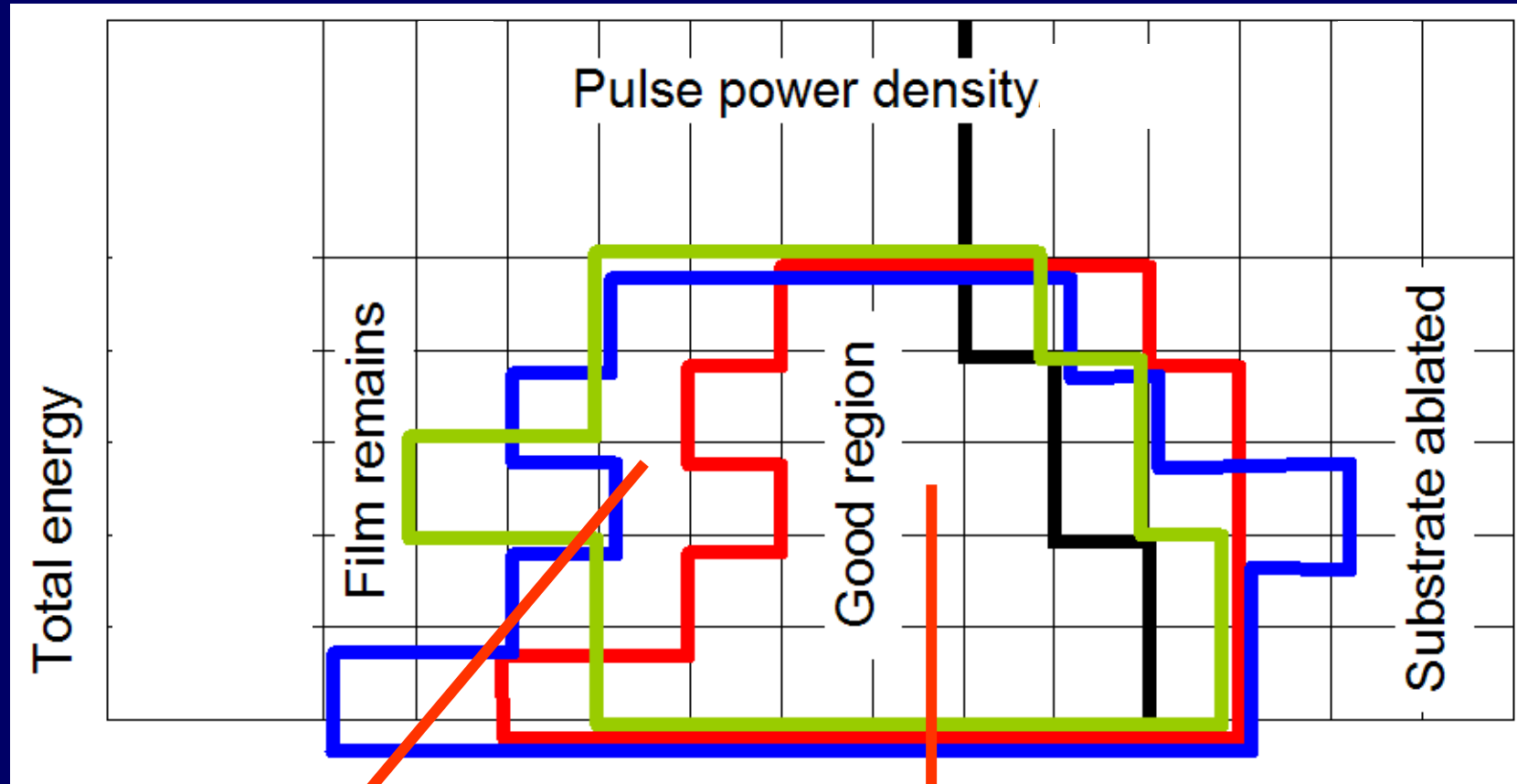
ta-C(0.1μm)

Bare silicon threshold

# Characterising laser ablation of silicon nitride

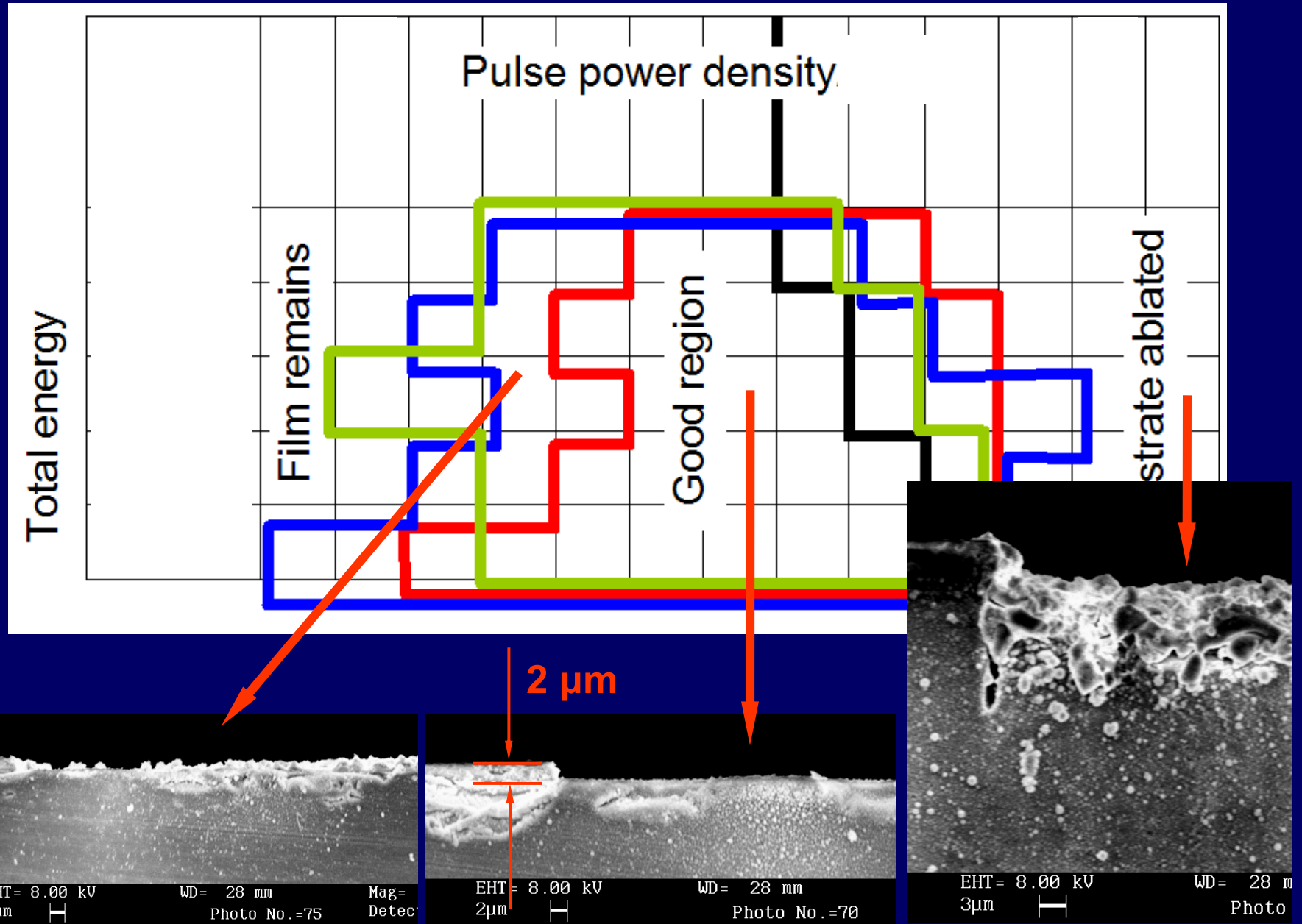


# Characterising laser ablation of silicon nitride

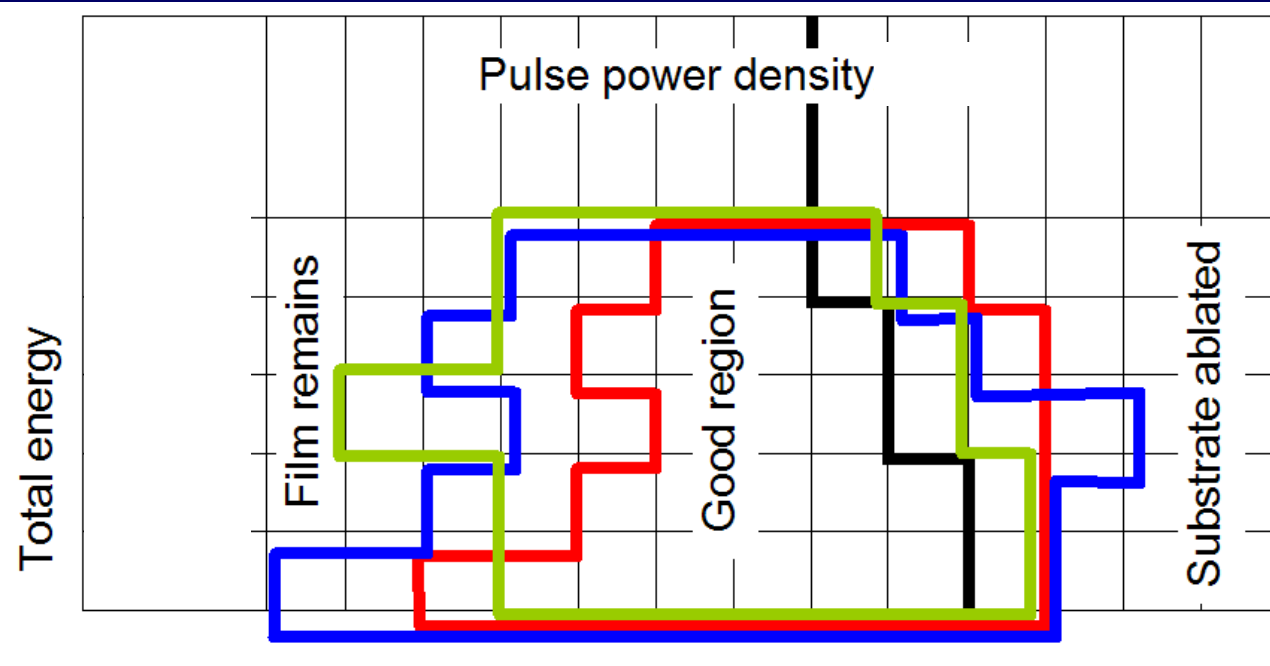




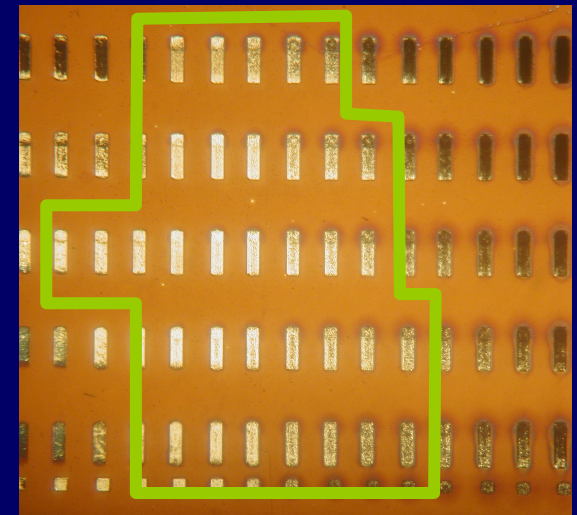
# Characterising laser ablation of silicon nitride



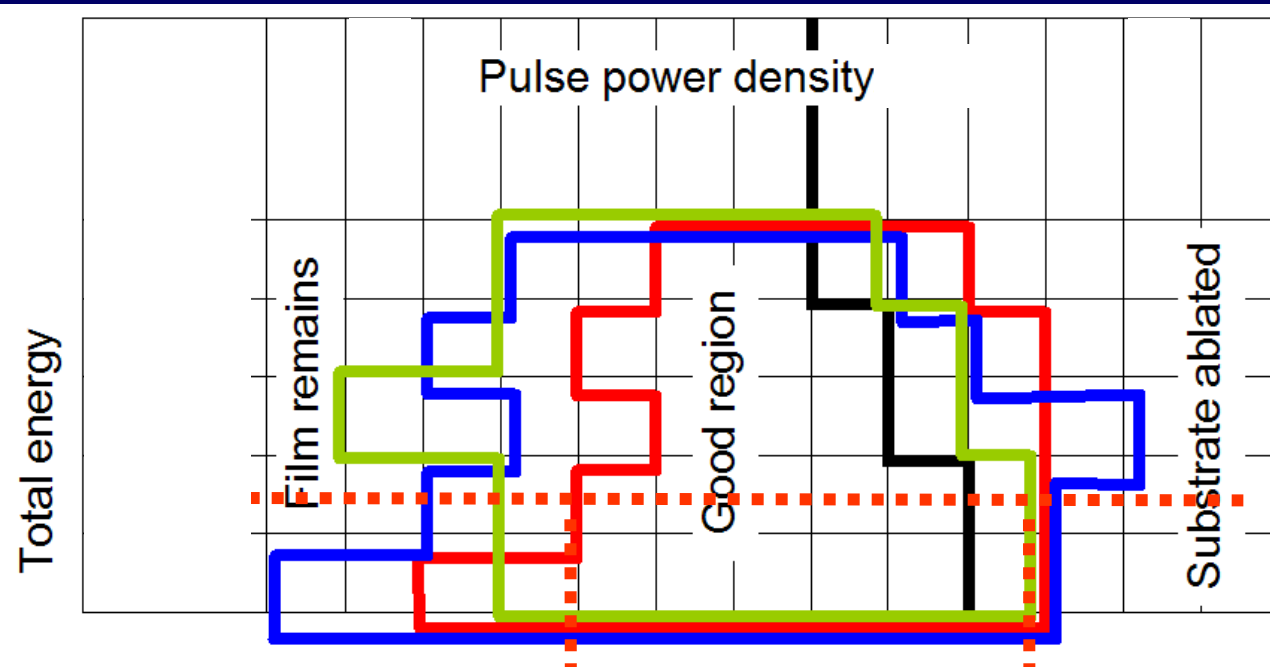
# Characterising laser ablation of silicon nitride



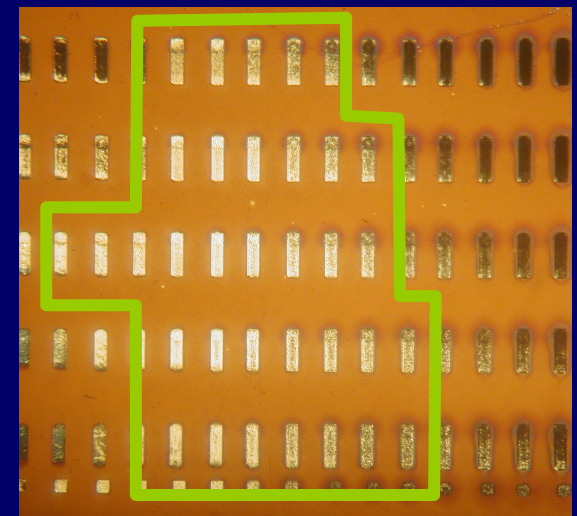
Optical micrograph



# Characterising laser ablation of silicon nitride

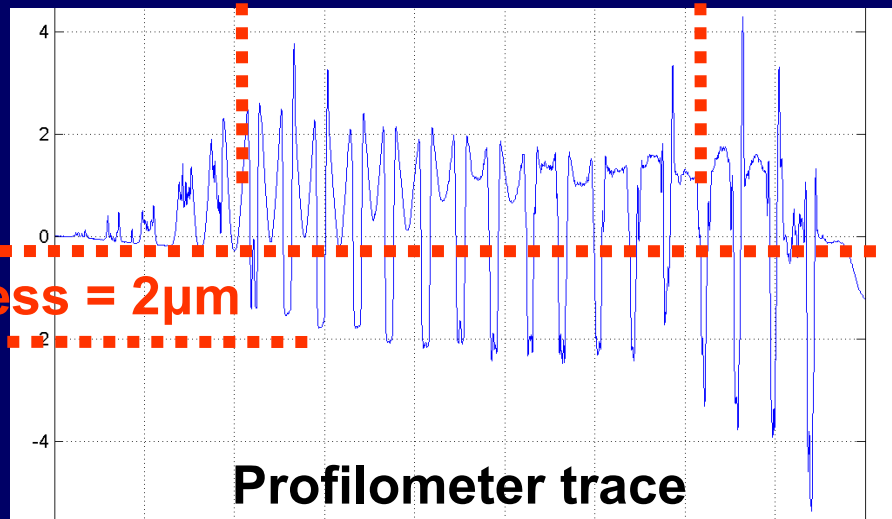


Optical micrograph

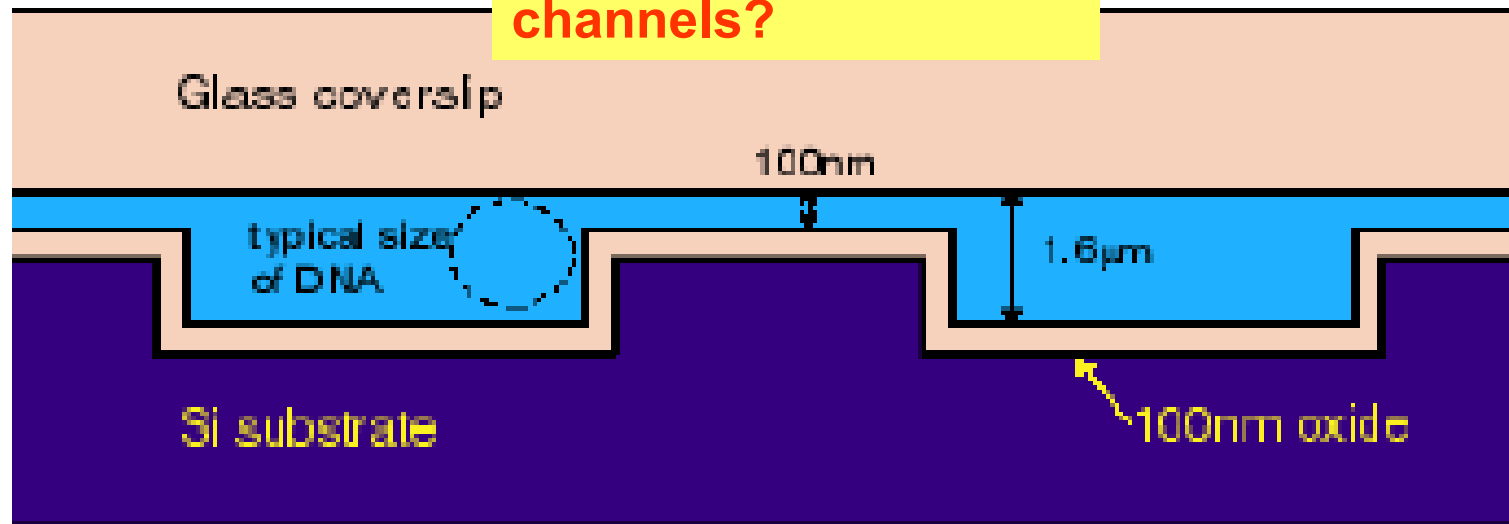
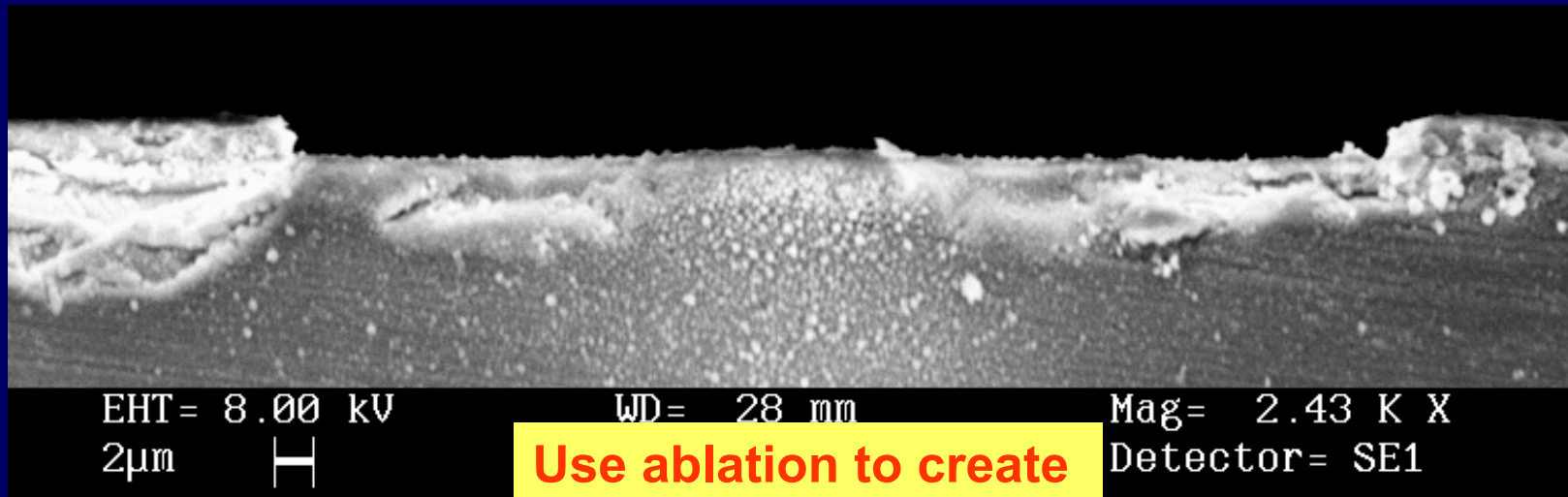


sample surface

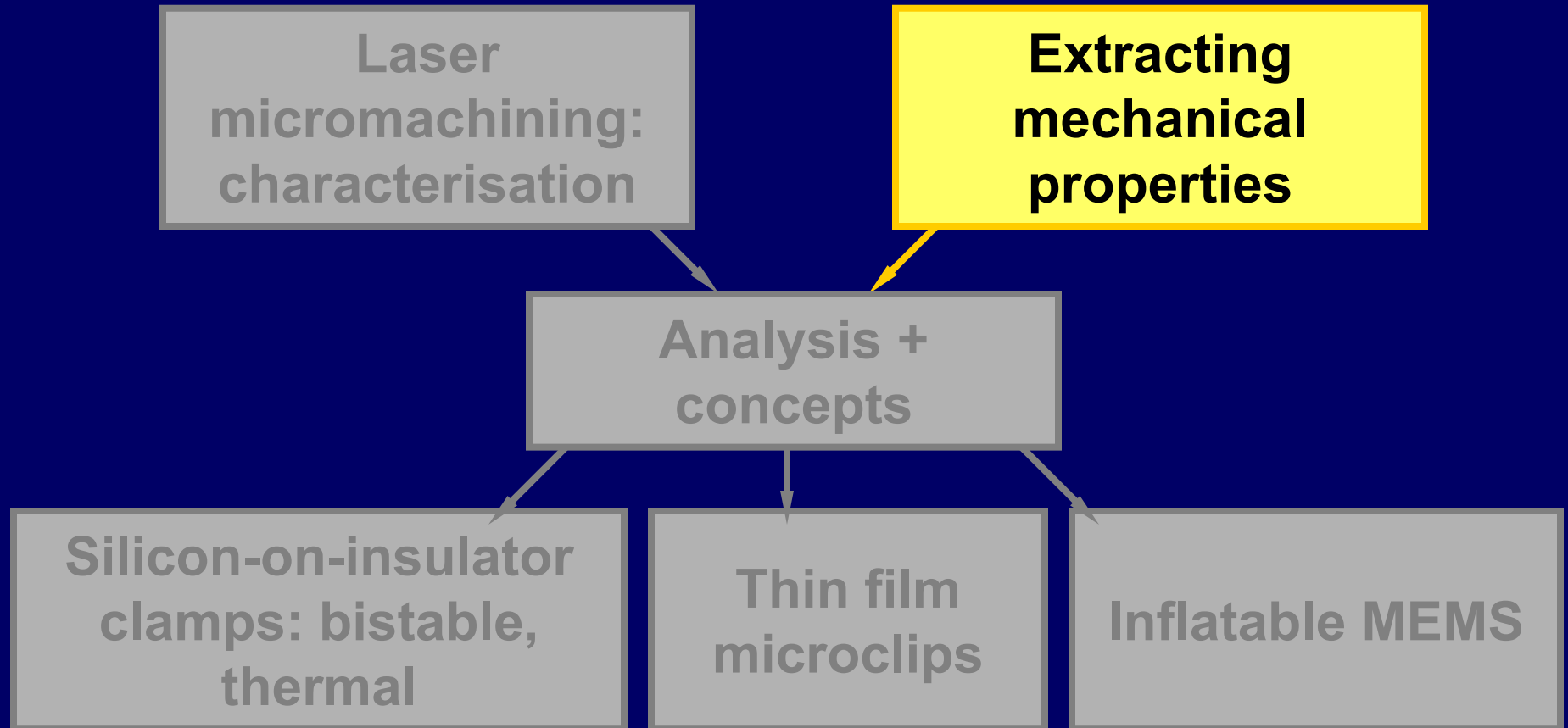
Film thickness =  $2\mu\text{m}$



# Characterising laser ablation of silicon nitride



# Outline



# Extracting Young's Modulus of thin films

- resonance frequency measurement<sup>1</sup>
- electrostatic pull-in<sup>2</sup>
- microbeam deflection with nanoindenter<sup>3</sup>

[1] M Madou: Fundamentals of Microfabrication, p270

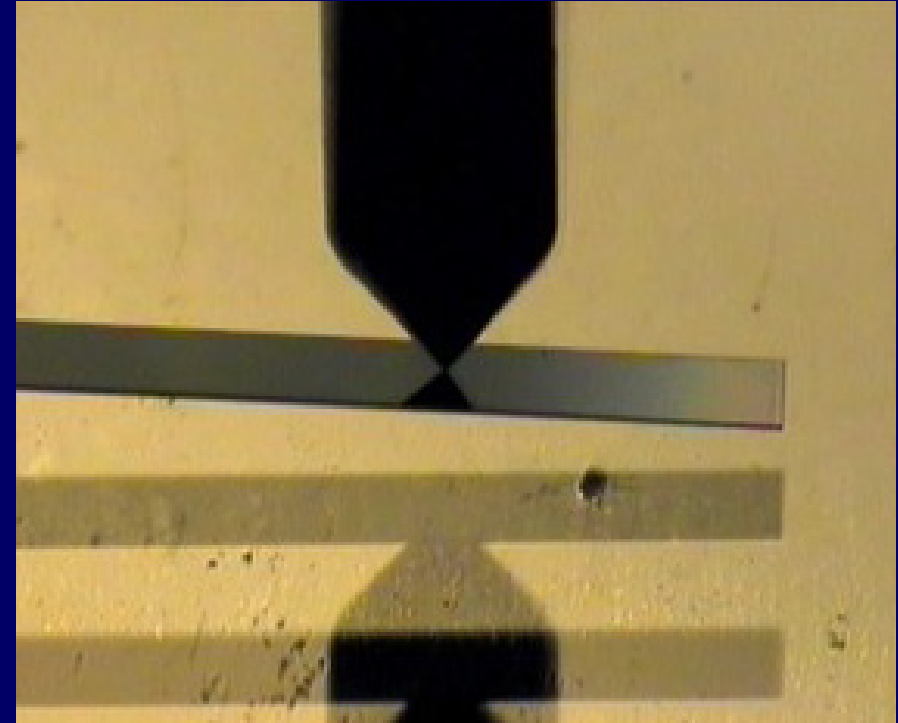
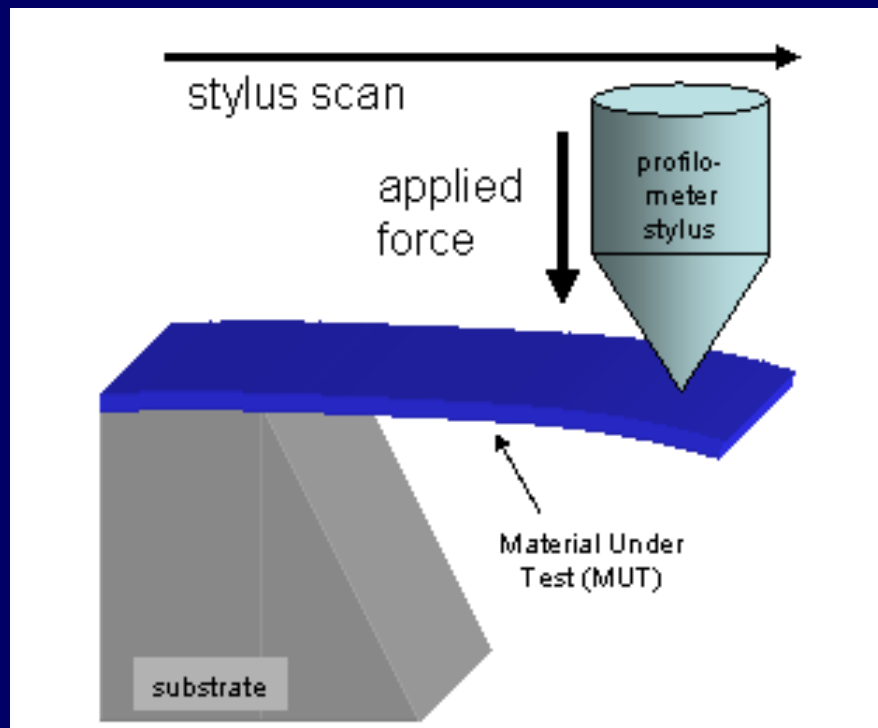
[2] *Journal MEMS*, 6 2 1997 pp107–118

[3] WD Nix: *Measurement of Mechanical Properties in Small Dimensions by Microbeam Deflection*, Stanford



# Extracting Young's Modulus of thin films

- resonance frequency measurement<sup>1</sup>
- electrostatic pull-in<sup>2</sup>
- microbeam deflection with nanoindenter<sup>3</sup>
- **scanning profilometer along microbeam**

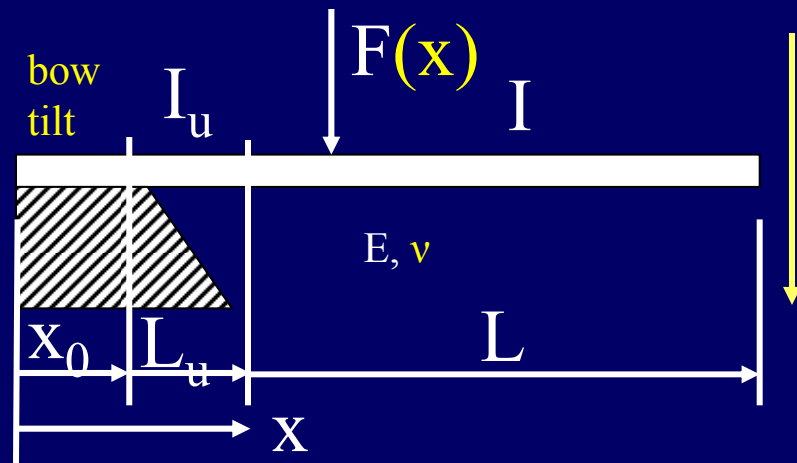


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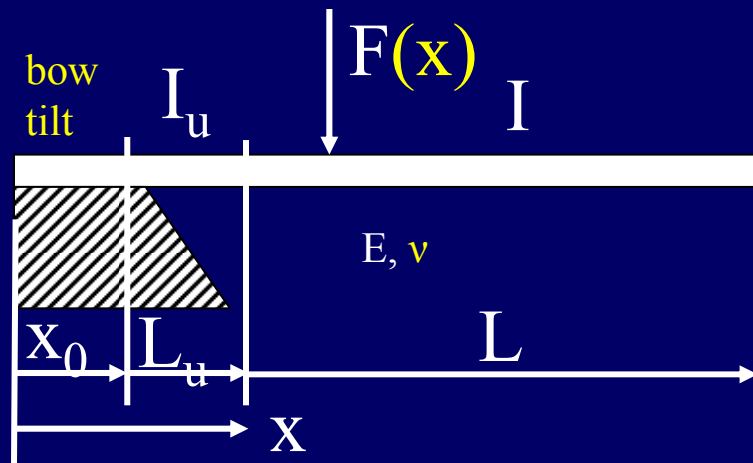
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# Extracting Young's Modulus of thin films



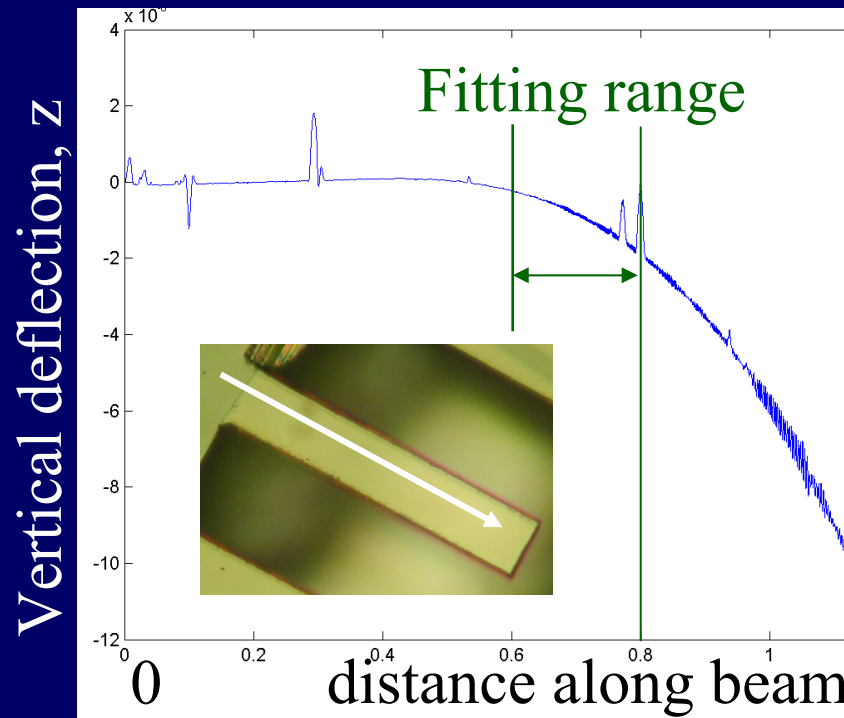
$$\begin{aligned}
 Z &= F \left\{ (x-x_0-L_u)^3/3EI + \right. \\
 &\quad (x-x_0-L_u)^2 L_u/EI_u + \\
 &\quad (x-x_0-L_u)L_u^2/EI_u + \\
 &\quad \left. L_u^3/3EI_u \right\} \\
 &= Fx^3/3EI + O(x^2)
 \end{aligned}$$

# Extracting Young's Modulus of thin films



$$Z = F \left\{ (x-x_0-L_u)^3/3EI + (x-x_0-L_u)^2 L_u/EI_u + (x-x_0-L_u)L_u^2/EI_u + L_u^3/3EI_u \right\}$$

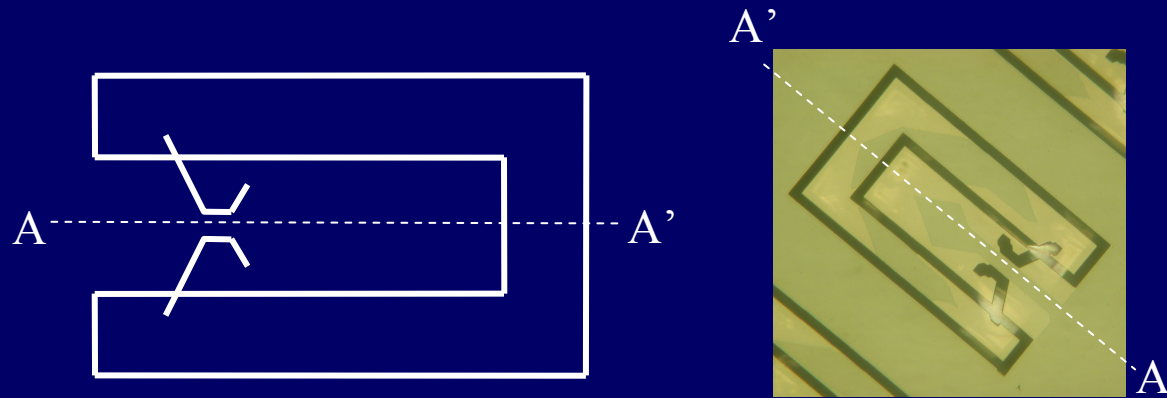
$$= Fx^3/3EI + O(x^2)$$



# Extracting Young's Modulus of thin films — additional problems

- anticlastic curvature affects effective stiffness
- stylus force varies with deflection
- local indentation
- beam twisting

# Extracting maximum stress of thin films



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properties

**Analysis +  
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Thin film  
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Inflatable MEMS



# Problem abstraction

		Angular degrees of freedom			
		0	1	2+	3
Linear DoF	0	filter			
	1*			plane mirror	diffraction grating
	2			detector <sup>§</sup>	triangular prism <sup>#</sup>
	3	spherical lens		parabolic lens or mirror; emitter	

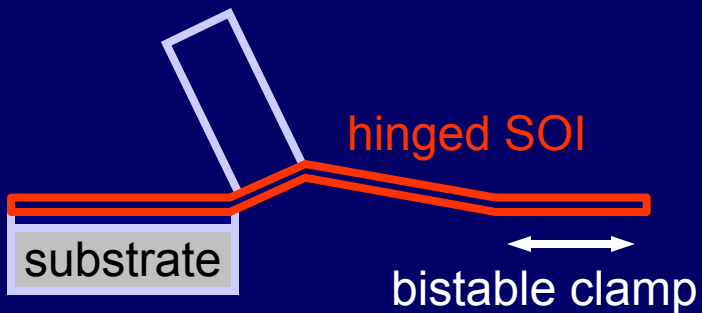
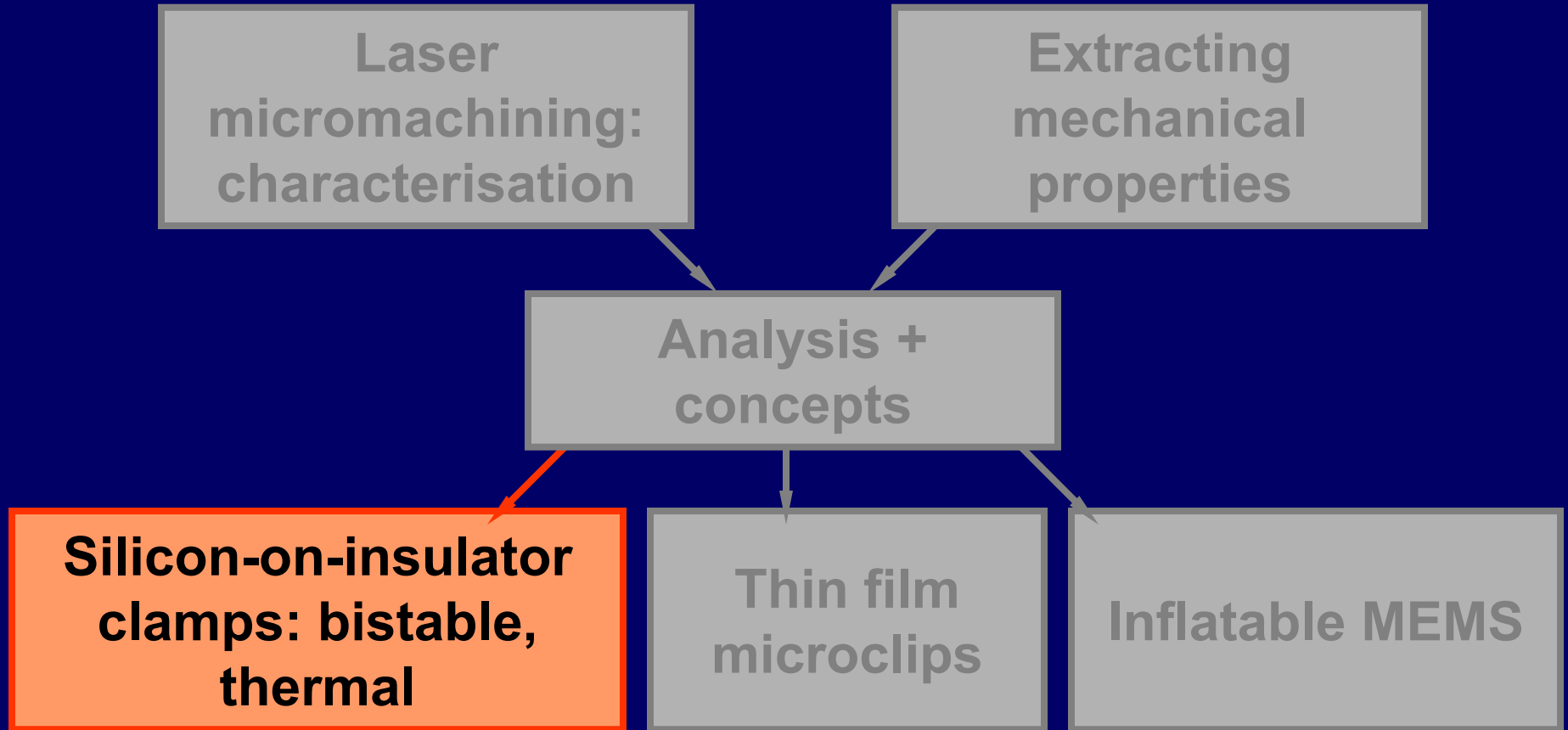
$\theta, x, y$ : in plane  
 $z, \varphi, \psi$ : out of plane

\*  $x$  or  $y$   
 + includes  $\theta$   
 plus  $\varphi$  or  $\psi$   
<sup>§</sup> translation in  $x$   
 or  $y$ , plus  $z$   
<sup>#</sup> positioning in  
 $x$  and  $y$

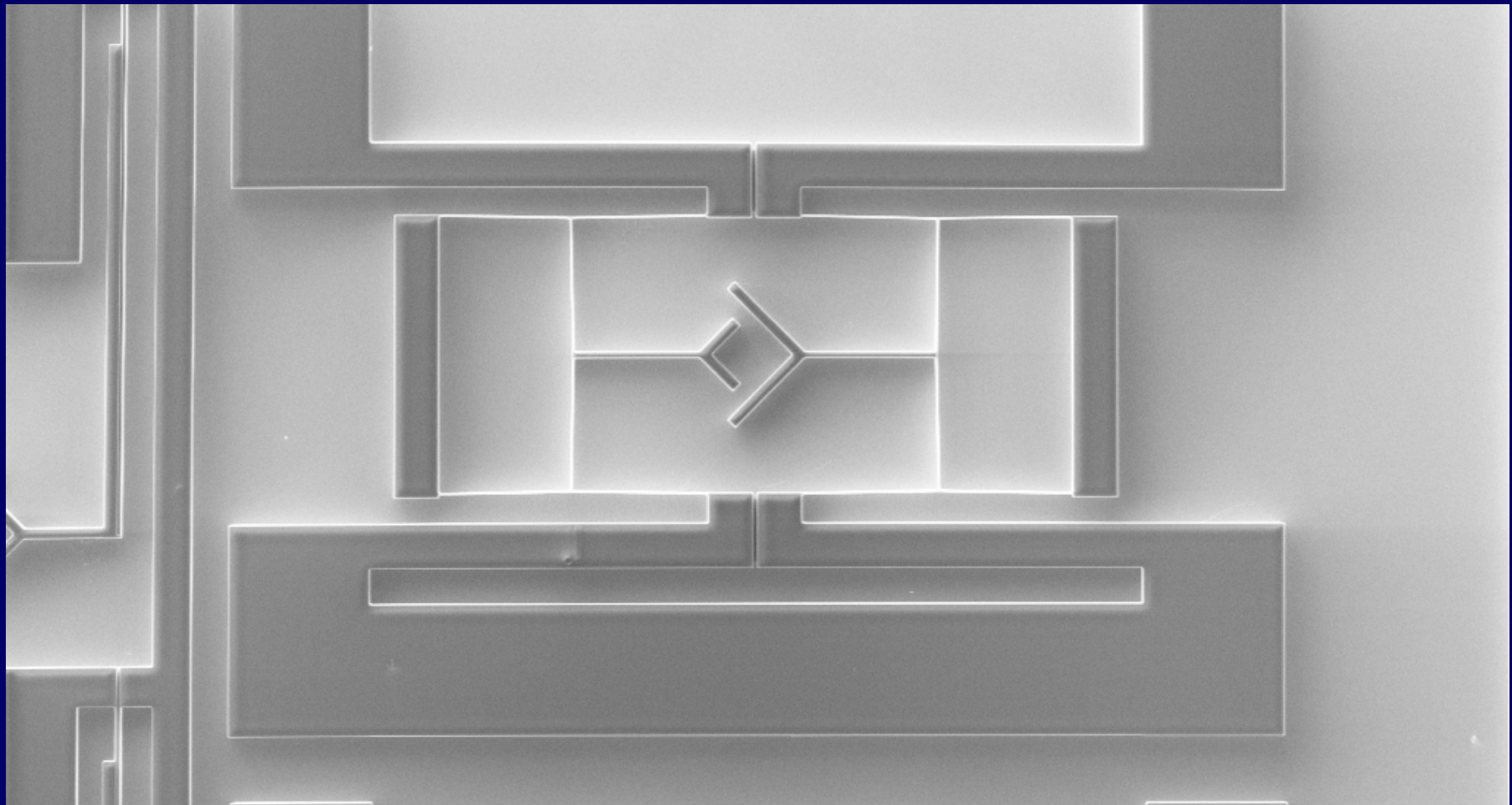
# Specification

1. Alignment precision: 0.1dB coupling loss requires  $0.5\mu\text{m}$  and  $0.7^\circ$  but throw must be larger
2. Components to be held sub-millimetre: lenses, mirrors and fibres
3. Slop: component dimension tolerances up to 10%
4. Up to 2 linear and 3 angular degrees of freedom or *vice versa*
5. Power and area budgets: debatable

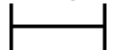
# Outline



# DRIE structure Lens manipulator



300 $\mu$ m<sup>+</sup>



EHT = 30.00 kV

WD = 33 mm

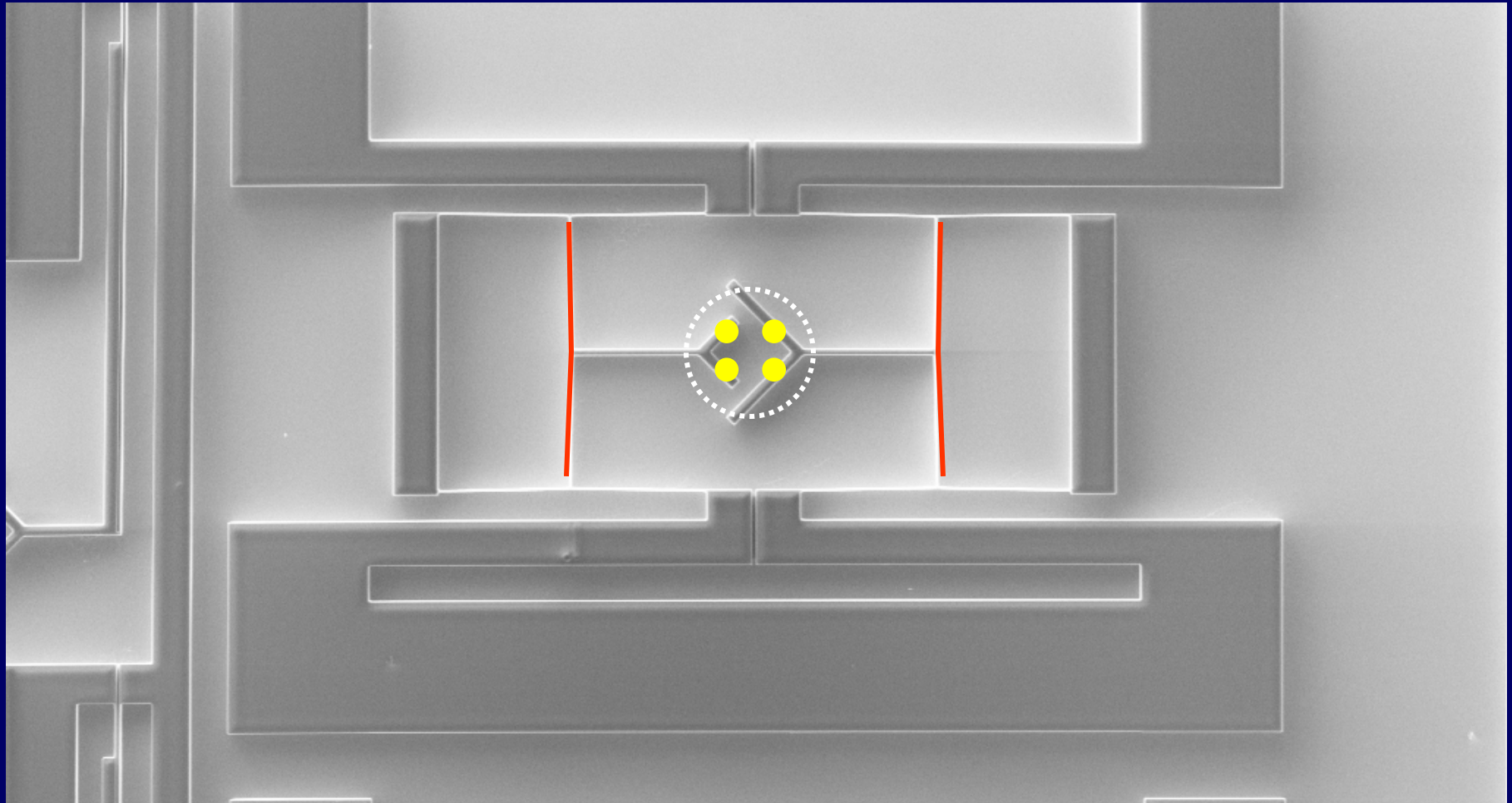
Signal A = SE1

Photo No. = 9580

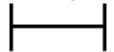
Date :1 Oct 2003

Time :12:12:54

# DRIE structure Lens manipulator



300 $\mu$ m<sup>+</sup>

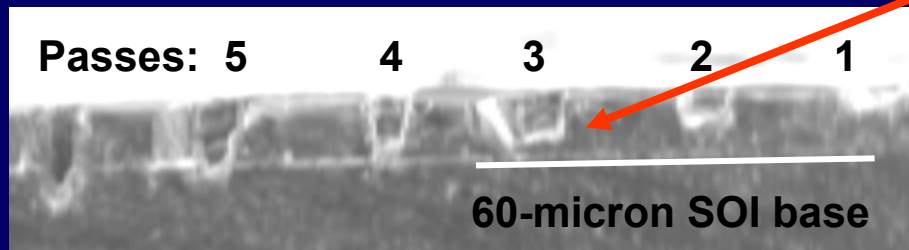
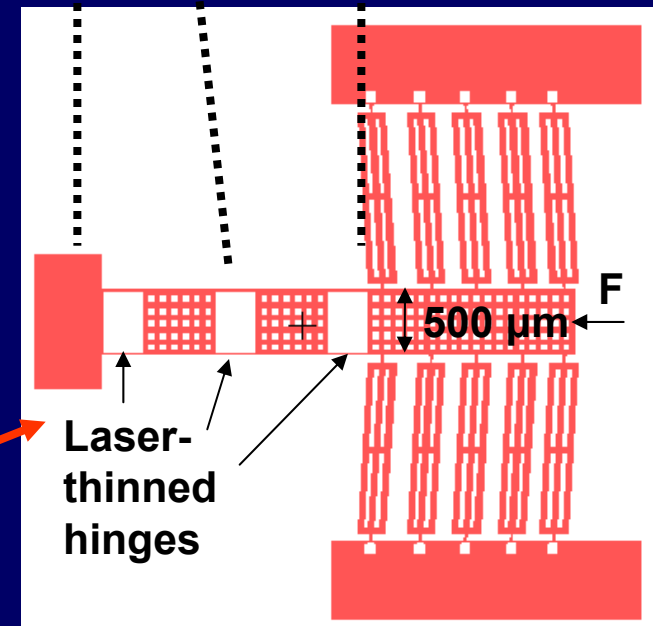
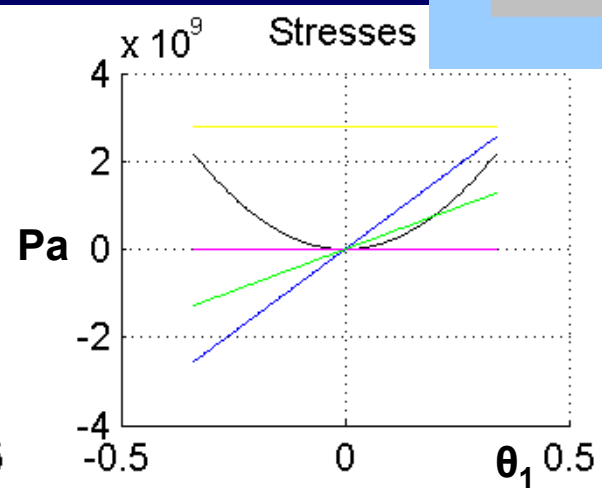
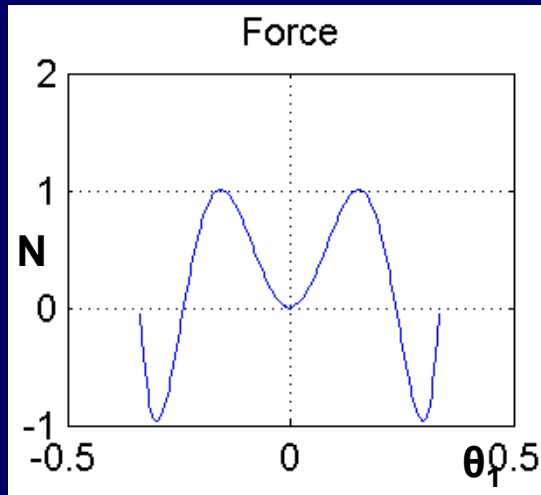
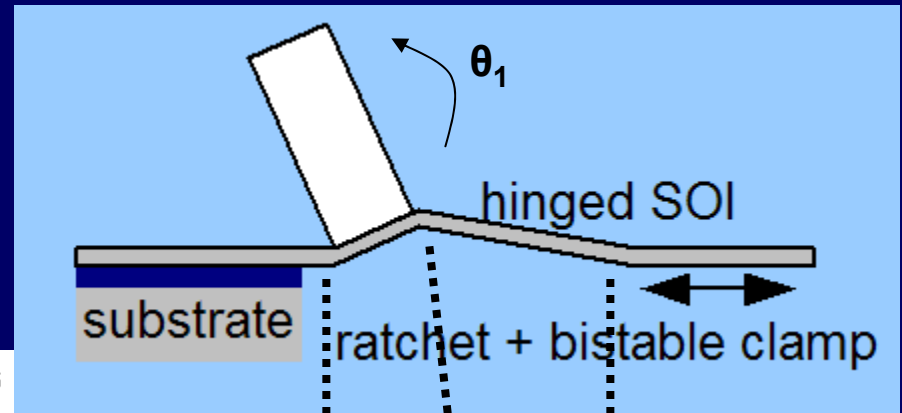


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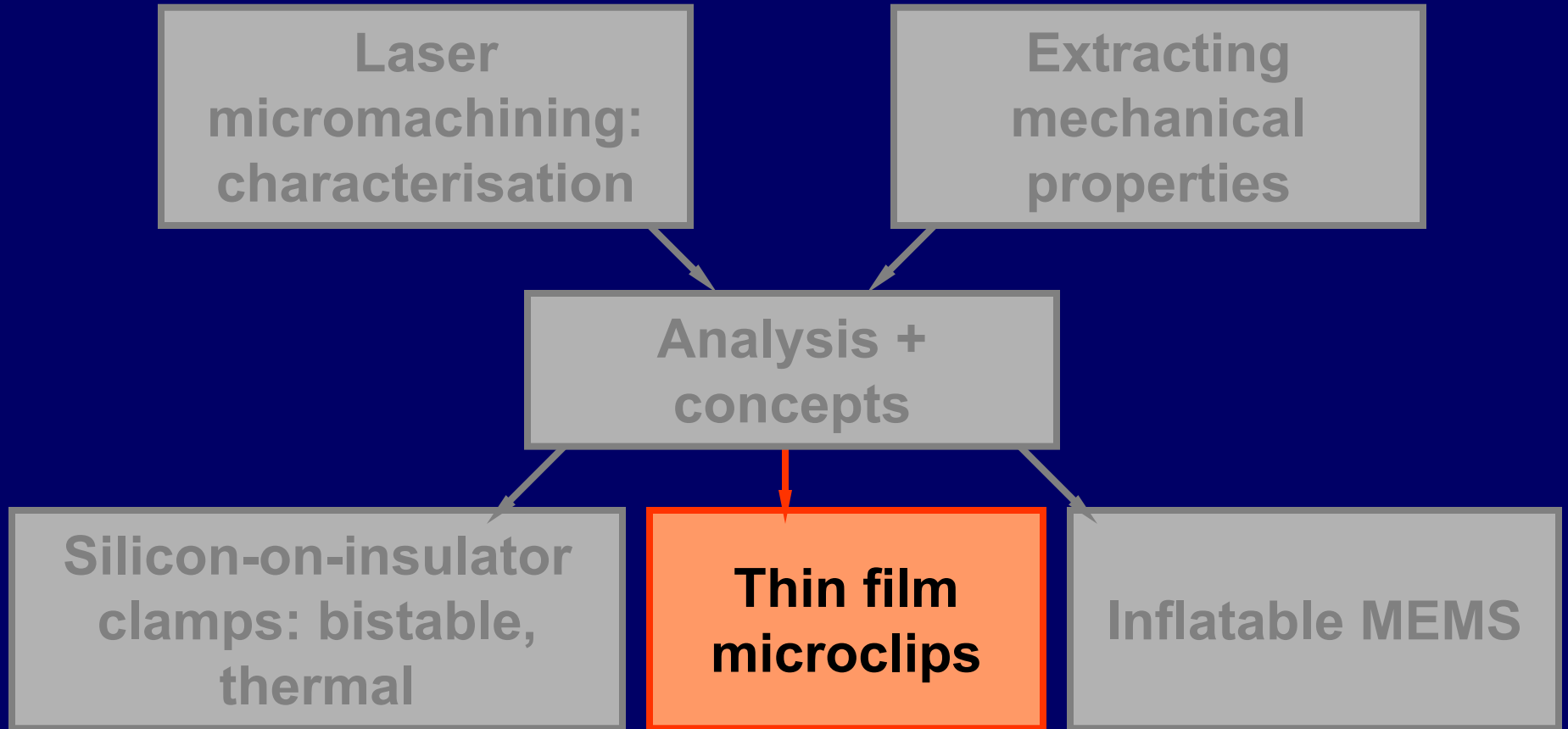
Date : 1 Oct 2003  
Time : 12:12:54

# Out-of-plane bistable clamps

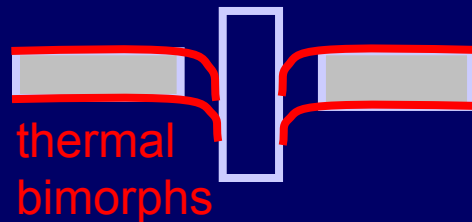


SEM cross-section of SOI thinning experiment

# Outline



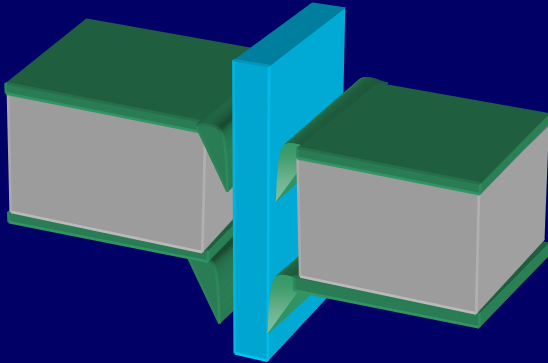
component





# Proposed microclips

When a component is inserted, the microcantilevers deflect and hold the component in static equilibrium.

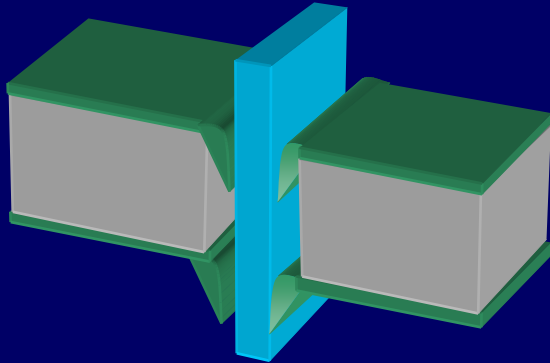


## Fabrication

1. deposit thin film on to wafer
2. photolithography or laser micromachining to define cantilevers
3. anisotropic etch through wafer

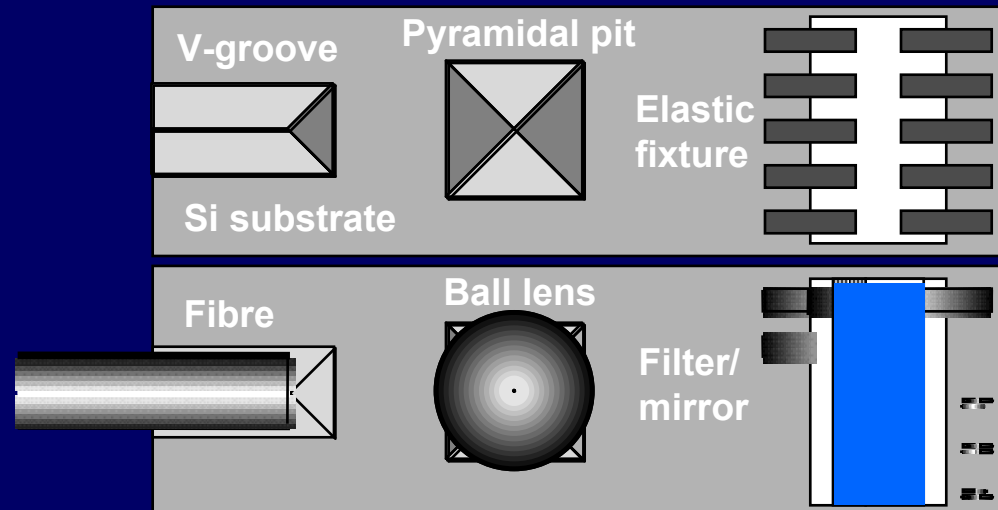
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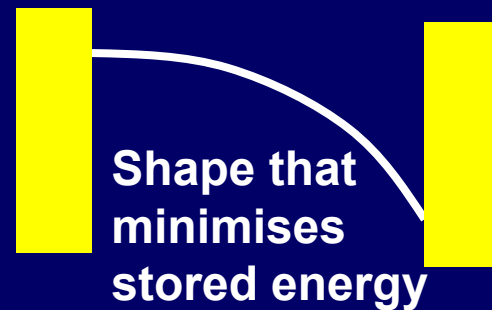
## Fabrication

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# Deflection of Microbeams

- A thin beam subject to a tip displacement constraint assumes a shape that minimises energy.
- To obtain a minimum energy state we must vary the shape function of the cantilever until the integral energy function reaches a stationary point.

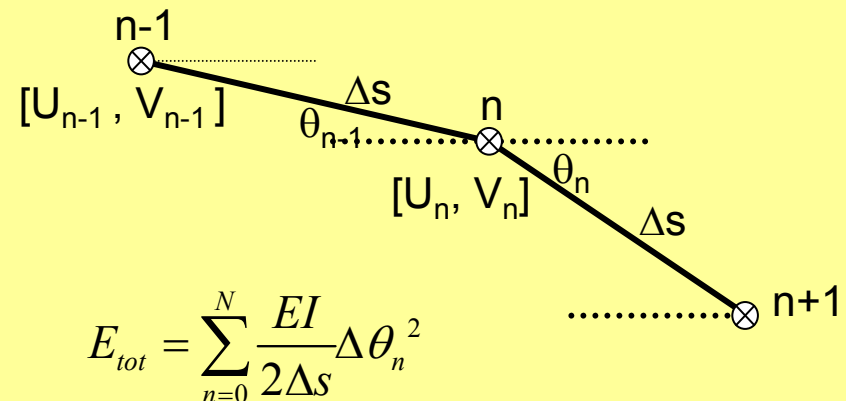


$$E = k \int_0^L F\left(y, \frac{dy}{dx}, x\right) dx$$

$$E_{tot} = \int M \kappa ds$$

## Discretisation

- The integral expression can be approximated by a series expression.
- The system effectively becomes a series of rigid members joined by torsional springs whose spring constant gives the same bending rigidity per unit length as the continuous bar.



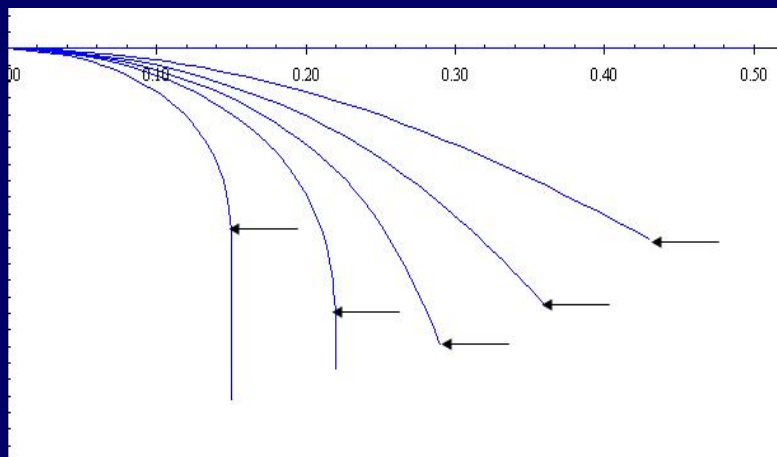
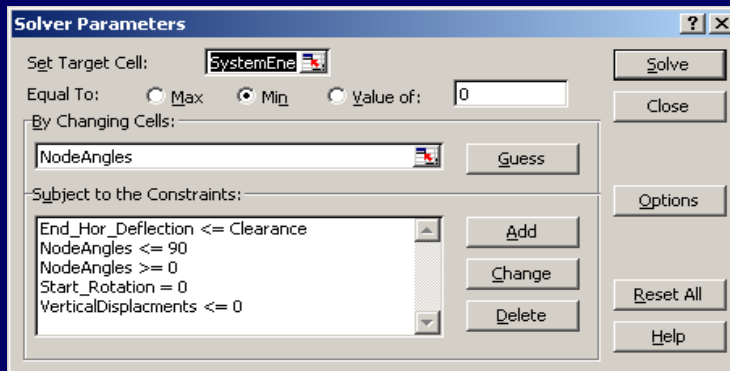
# Deflection of Microbeams

- Excel contains an optimisation plug-in called Solver. This allows us to
  - Minimise an objective function
  - By changing a set of variables
  - Subject to constraints

Stored Energy

Bar Angles ( $\theta_0 \dots \theta_n$ )

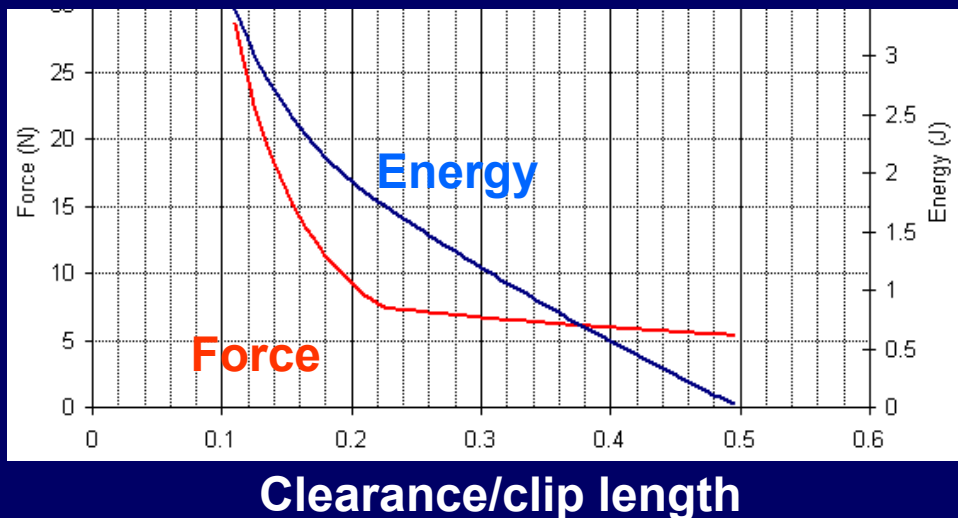
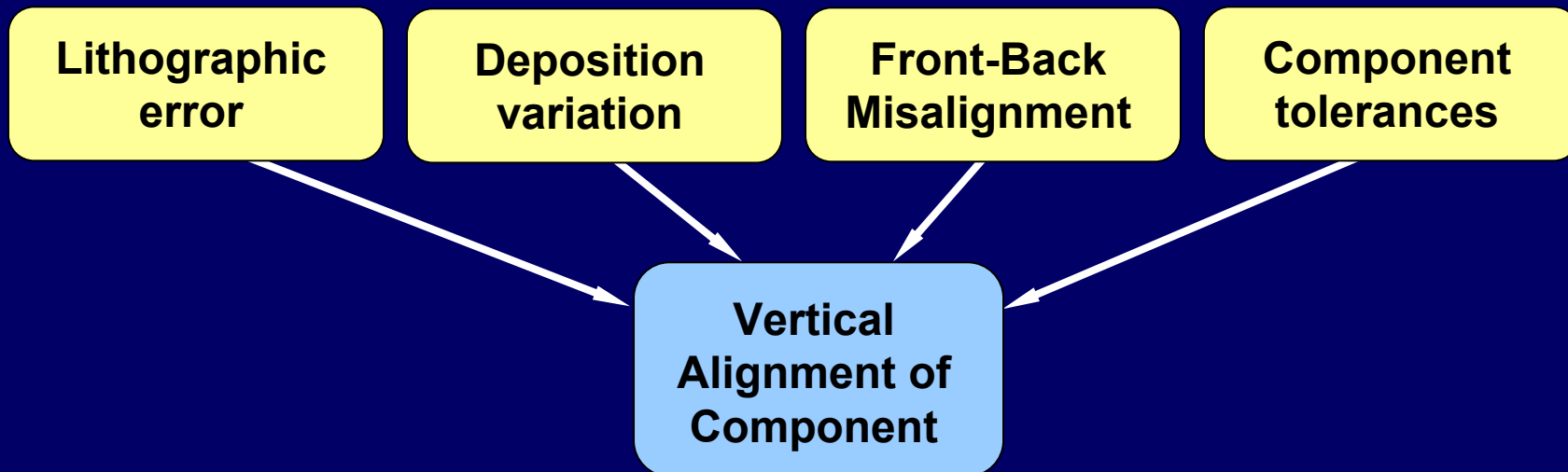
Tip Displacement + segment angle



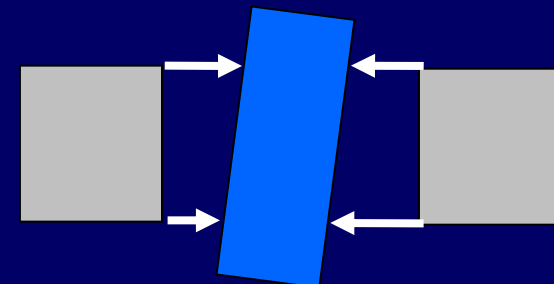
Node	$\theta$ degrees	$\theta$ radians	$U_n$	$V_n$	$\Delta\theta_n$	Energy
0	0.00	0	0.00	0.00		
1	1.32	0.0230469	0.03	0.00	0.0230469	4.46E-03
2	2.64	0.0460318	0.07	0.00	0.0229848	4.44E-03
3	3.95	0.0688915	0.10	0.00	0.0228598	4.39E-03
4	5.25	0.0915638	0.13	-0.01	0.0226723	4.32E-03
5	6.53	0.1139874	0.17	-0.01	0.0224236	4.22E-03
6	7.80	0.1361017	0.20	-0.02	0.0221143	4.11E-03
7	9.04	0.1578469	0.23	-0.02	0.0217453	3.97E-03
8	10.27	0.1791647	0.26	-0.03	0.0213178	3.82E-03
9	11.46	0.1999985	0.30	-0.03	0.0208338	3.65E-03
10	12.62	0.2202919	0.33	-0.04	0.0202934	3.46E-03
11	13.75	0.2399913	0.36	-0.05	0.0196994	3.26E-03
12	14.84	0.2590443	0.39	-0.06	0.0190529	3.05E-03
13	15.89	0.2774013	0.43	-0.07	0.018357	2.83E-03
14	16.90	0.2950133	0.46	-0.08	0.017612	2.61E-03
15	17.87	0.3118345	0.49	-0.09	0.0168212	2.38E-03
16	18.78	0.3278219	0.52	-0.10	0.0159874	2.15E-03
17	19.65	0.342934	0.55	-0.11	0.0151121	1.92E-03
18	20.46	0.3571318	0.58	-0.12	0.0141977	1.69E-03
19	21.22	0.370379	0.62	-0.13	0.0132472	1.47E-03
20	21.92	0.3826425	0.65	-0.14	0.0122636	1.26E-03
$\Sigma$ Energy						6.345E-02

# Processing variations and probabilistic design

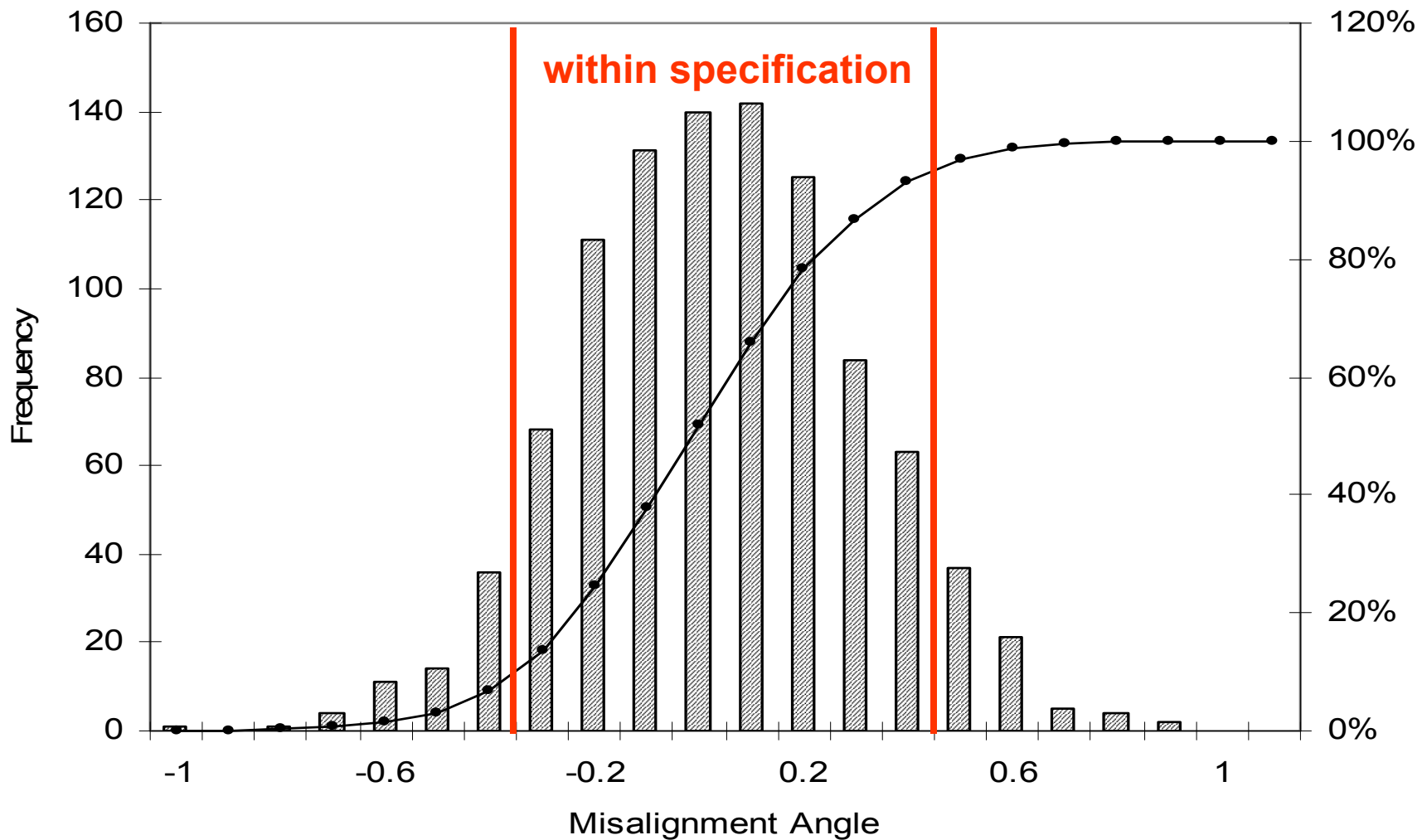
- For optical benches components must be precisely aligned in the vertical plane.
- Process variability can lead to component misalignment.



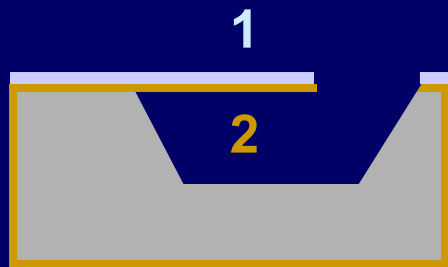
Investigate the effect of each error and build a distribution of vertical alignment.



# Processing variations and probabilistic design



# Towards 'active' clips



cold



hot

Thicknesses  $a_1, a_2$

Thermal expansivities are  $\alpha_1, \alpha_2$

Moduli  $E_1, E_2$

Increase in temperature  $\Delta T$

$$E_1/E_2 = n$$

$$a_1 + a_2 = t$$

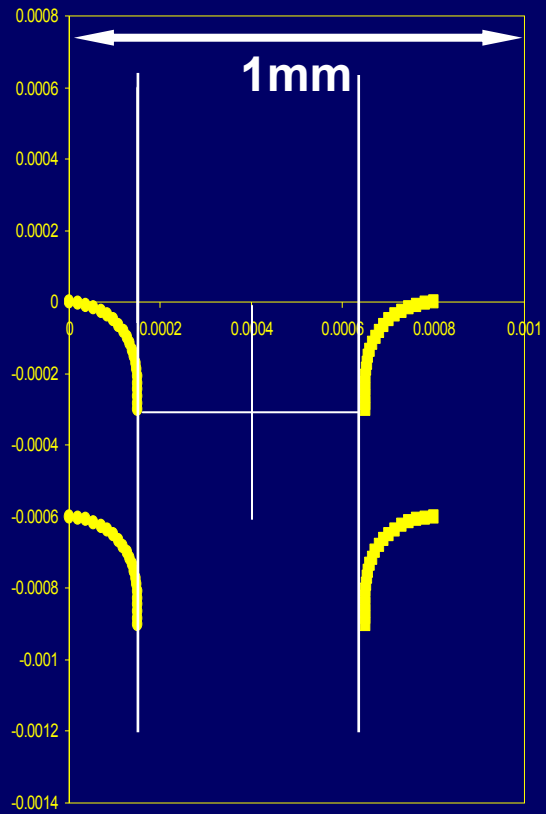
$$a_1/a_2 = m$$

$$K = 6(1 + m)^2 / [3(1 + m)^2 + (1 + mn)(m^2 + 1/mn)]$$

Thermal curvature is given by:

$$\kappa = K(\alpha_2 - \alpha_1)\Delta T/t$$

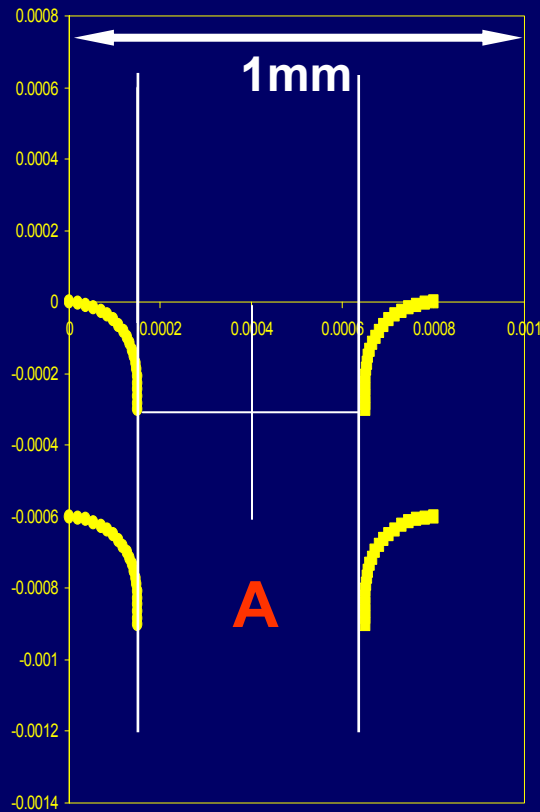
# Extending energy simulation to 4 thermal clips



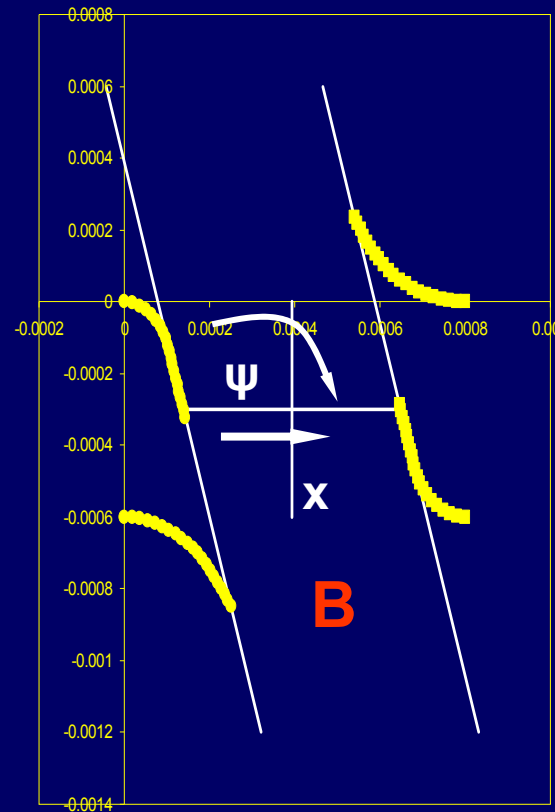
No misalignments



# Extending energy simulation to 4 thermal clips

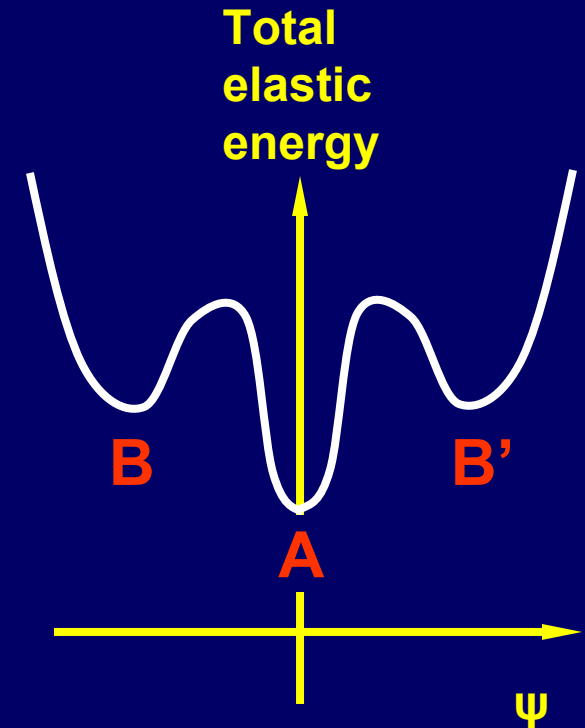


No misalignments

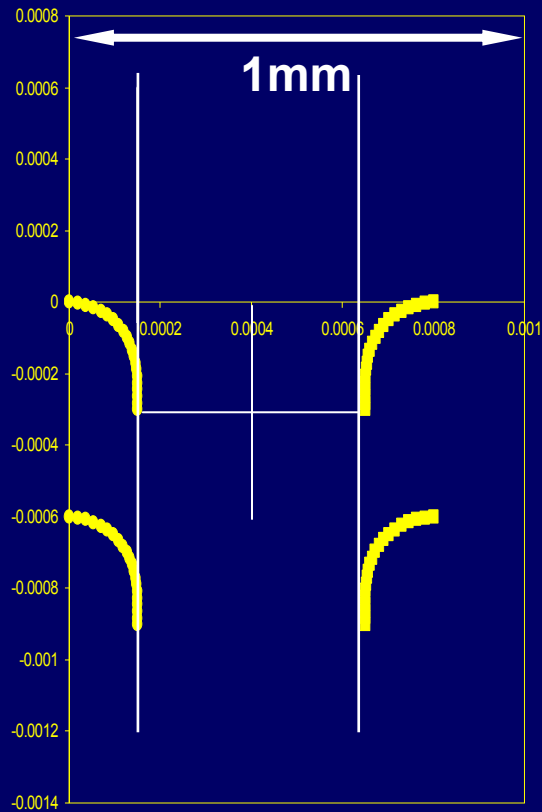


Local energy minimum with antisymmetric clip orientations

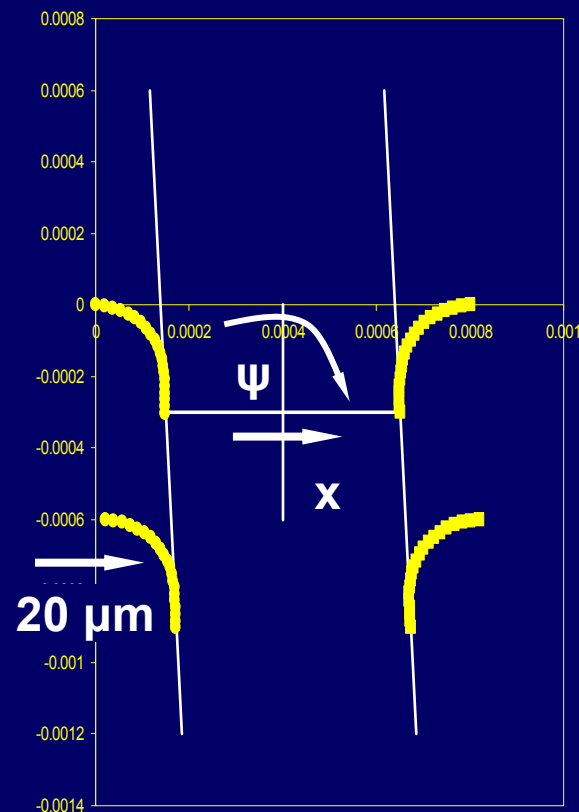
rotation  $\psi = -11.5^\circ$



# Extending energy simulation to 4 thermal clips



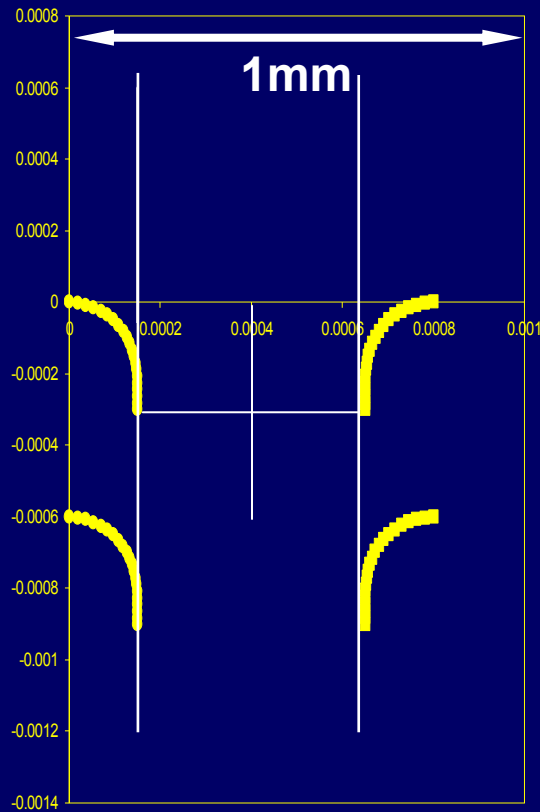
No misalignments



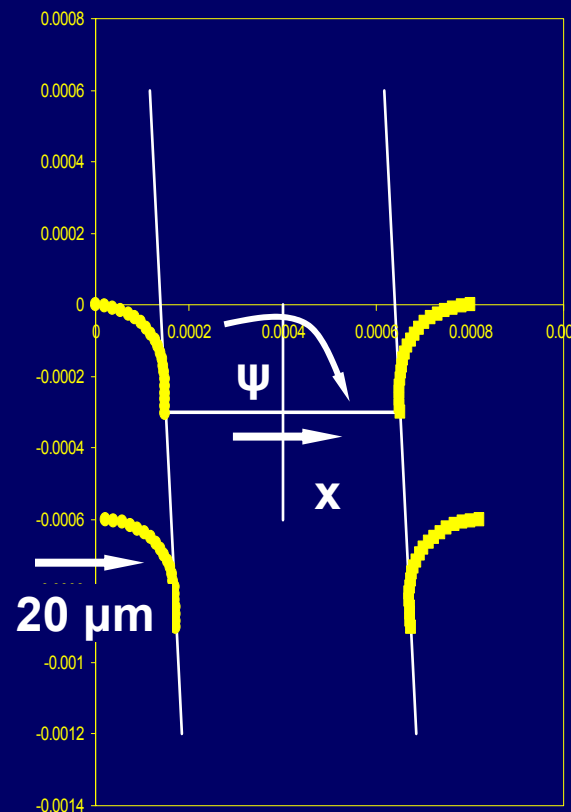
20  $\mu\text{m}$   
front-to-back  
misalignment...

rotation  $\psi = -2.1^\circ$   
 $x \approx 0$

# Extending energy simulation to 4 thermal clips

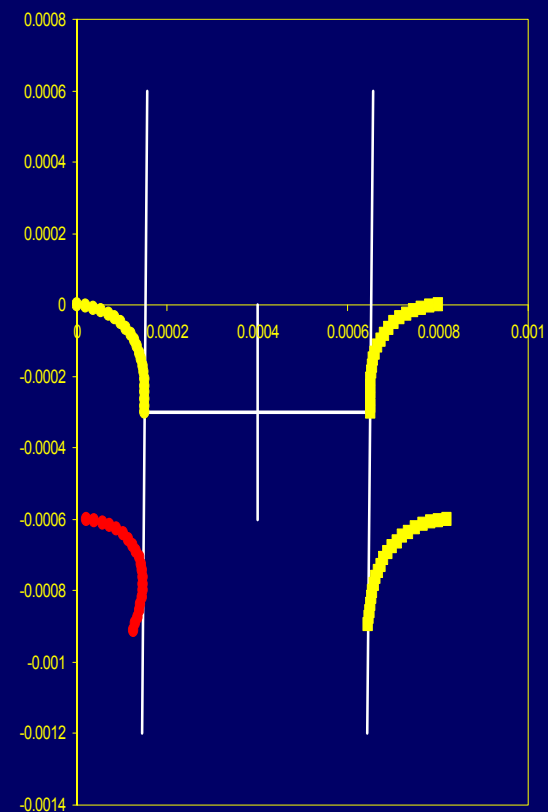


No misalignments



20  $\mu\text{m}$   
front-to-back  
misalignment...

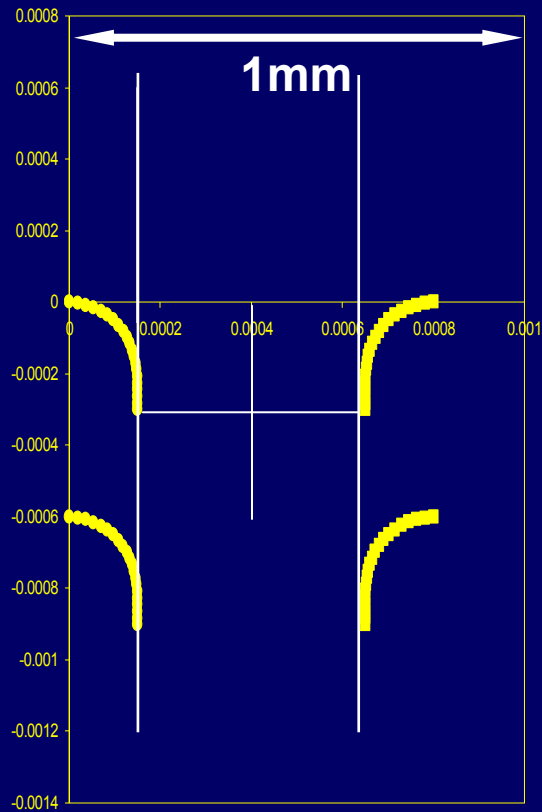
rotation  $\psi = -2.1^\circ$   
 $x \approx 0$



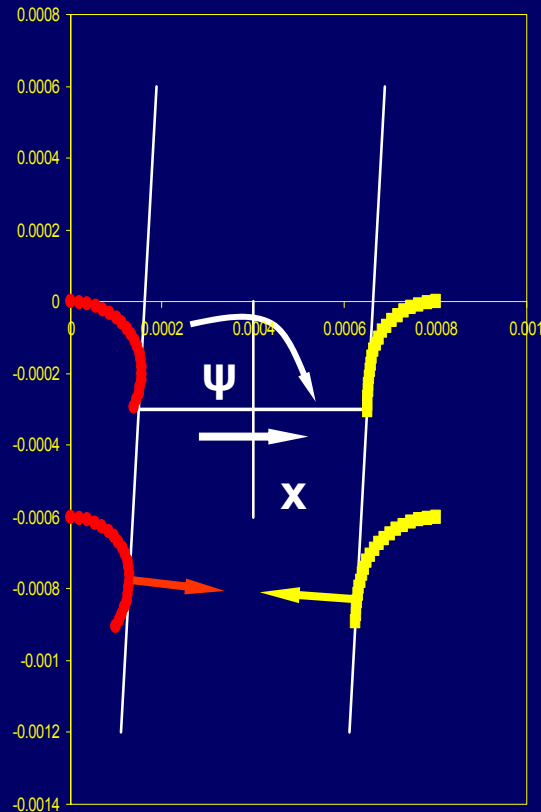
... countered by  
20K temp increase  
in red clip.

(150nm Ni/SiN<sub>x</sub>)  
rotation  $\psi = 0.4^\circ$   
 $x \approx 0$

# Extending energy simulation to 4 thermal clips



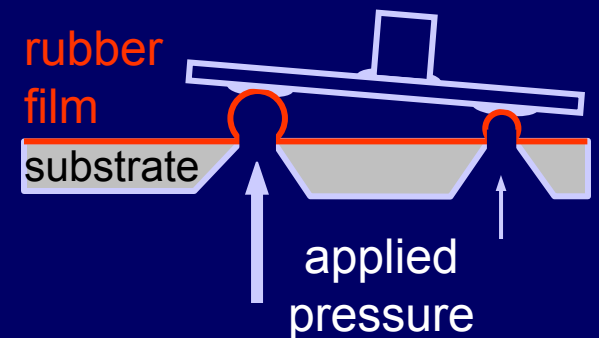
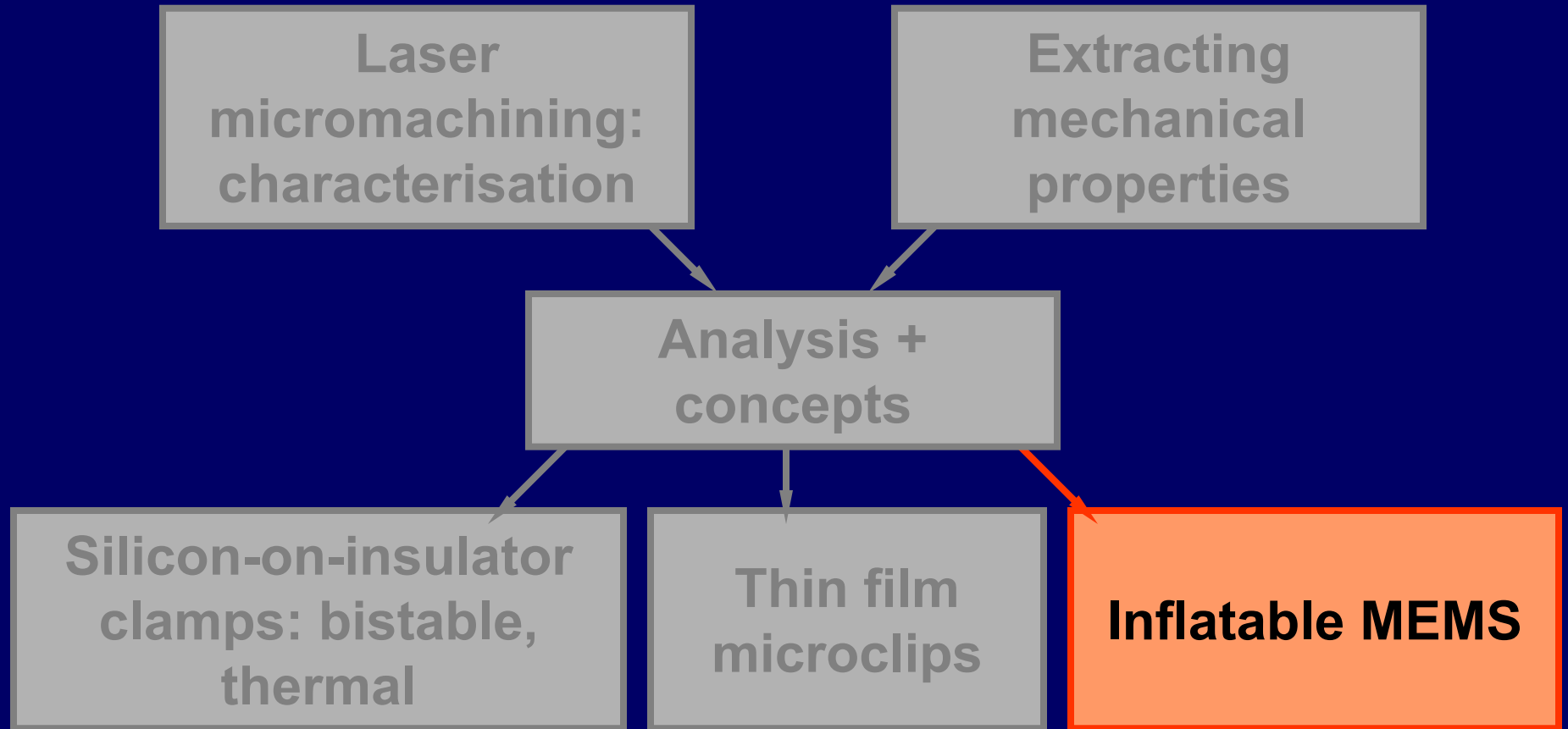
No misalignments



50K temperature increase in clips 1 and 2

rotation  $\psi \sim 2^\circ$   
 $x \sim -5 \mu\text{m}$

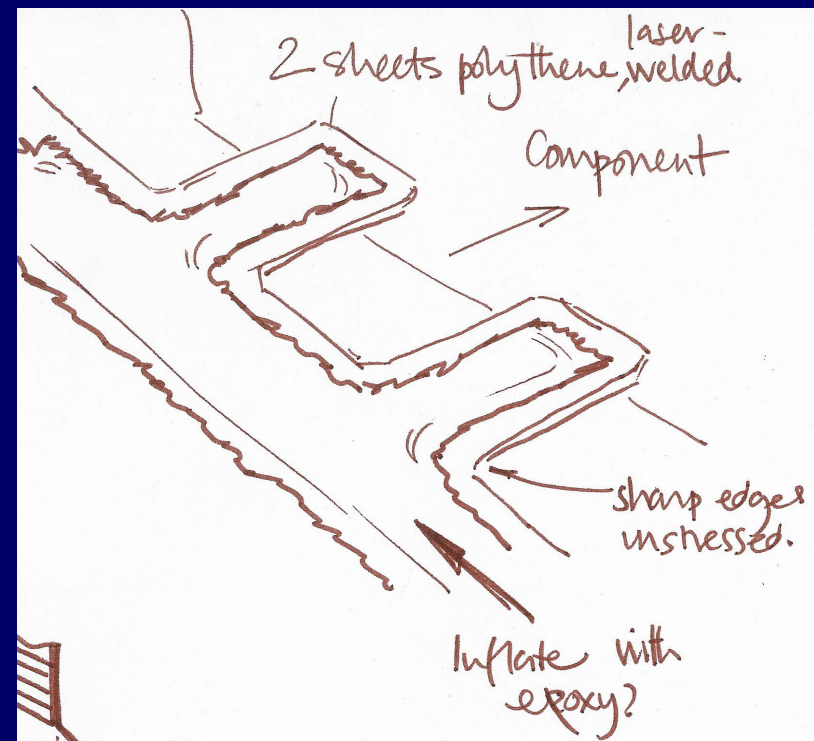
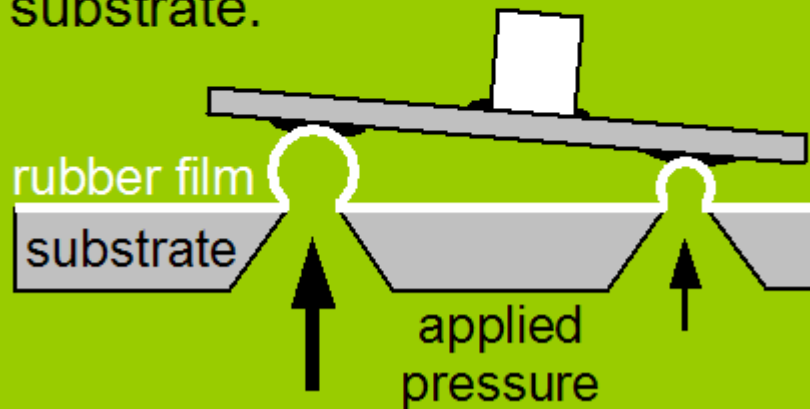
# Outline



# Why consider inflatable MEMS?

- sharp edges unstressed
- films in tension mean larger holding forces
- inherent damping
- fluid could solidify

Explore the possibilities of making inflatable microballoons from elastic films, either welded together or spun on to a rigid substrate.



# Conclusions

## *Laser micromachining*

- cutting slow / refinement fast
- material damage can probably be controlled
- UV/silicon nitride combination ideal

## *Modulus extraction*

- target accuracy better than 20%
- noise in data remains largest problem

## *Deep reactive ion etching*

+ strong + well-characterised – large footprint

## *Thin-film microclips*

+ simple + compact – max. stress high

## *Inflatable MEMS*

+ manipulate and fix in one step  
+ strength from inflation not high modulus – unproven